

Topic on a Page

for IB Physics

Theme D: Fields

zigzageducation.co.uk

POD
12468

Publish your own work... Write to a brief...
Register at **publishmenow.co.uk**

Follow us on X (Twitter) **@ZigZagScience**

Contents

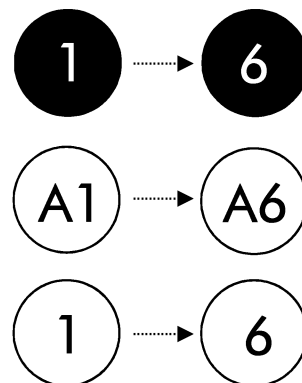
Product Support from ZigZag Education	ii
Terms and Conditions of Use	iii
Teacher's Introduction.....	iv
A3 Summary Posters.....	Topics 1–6
1. Gravitational Fields 1	
2. Gravitational Fields 2 (Additional Higher Level)	
3. Electric and Magnetic Fields 1	
4. Electric and Magnetic Fields 2 (Additional Higher Level)	
5. Motion in Electromagnetic Fields	
6. Induction (Additional Higher Level)	
A3 Activity Worksheets.....	Topics 1–6
A3 Outline-only Pages	Topics 1–6
Mark Scheme	8 pages

Teacher's Introduction

This Topic-on-a-page resource has been designed to help your students revise the key points of each topic and test their knowledge after you have taught each section of the **IB Physics: Theme D – Fields** specification from topics 1 to 4. Each page is closely tied to the IB specification, ensuring all aspects of the course are covered. Two of the topics are covered by two pages each, while the other two topics are covered on a single A3 page each.

There are four sections to this resource, each with its own features:

1. **Topic-on-a-page sheets:** these are the main pages which intend to clearly consolidate and recap all the key information from the IB Physics course.
2. **Activity pages:** these are identical to the Topic-on-a-page sheets, but contain a variety of tasks, from filling in missing words to performing calculations. The activity pages aim to ensure the student understands all the key knowledge required of them and gives them the opportunity to demonstrate how well they have remembered and understood the content of the course.
3. **Outline-only pages:** these are the Topic-on-a-page sheets, but with most of the content removed. Students can research the topics, e.g. for homework, and fill in as much information as they can.
4. **Mark scheme:** full answers for the activity pages.



The 'Topic-on-a page', 'Activity' and 'Outline-only' sheets are designed to be A3 size, although they are still usable at A4 with no loss of detail. When photocopying activity pages on A3, we suggest photocopying the relevant worksheet on the reverse. If using at A4 size, we suggest photocopying each A3 activity 'worksheet' (for writing answers) as a double-sided A4 page to avoid shrinking the space available for answers.

Each page presents information in a variety of ways, including:

- **Bullet-point processes** – complex processes and lists have been summarised into quick, easy-to-learn points.
- **Illustrative diagrams** – detailed diagrams that visually represent a concept or an event.
- **Method and calculation boxes** – concisely state the equations used in required calculations.
- **Tips and tricks** – extra useful information that can help students when solving problems.

We hope you find these pages useful during your teaching and your students' revision.

H Sproul, May 2024

Gravitational Field

Universal Law of Gravitation

Gravity is the universal attractive force that acts between all masses.



The **force of gravitation** between two masses to be:

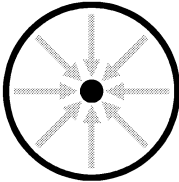
$$F = G \frac{m_1 m_2}{r^2}$$

F = force due to gravity
 G = gravitational constant
= $6.67 \times 10^{-11} \text{ N m}^2 \text{ kg}^{-2}$
 m_1 = mass of object 1
 m_2 = mass of object 2
 r = distance between centres of mass

So the force due to gravity:

- increases with mass
- decreases with distance
- is proportional to G

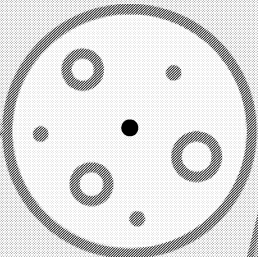
You can consider the **mass** of a **spherical object** with **uniform density** to all be at its **centre**.



In this way, you consider the object as a **point mass**, making calculations easier.

Any **extended object** can be considered as a **point mass** if the **distance** from the object is **large** compared to the size of the object.

The Moon is small compared to its distance away from Earth. In the Earth-Moon system, you can consider the Moon as a point mass.

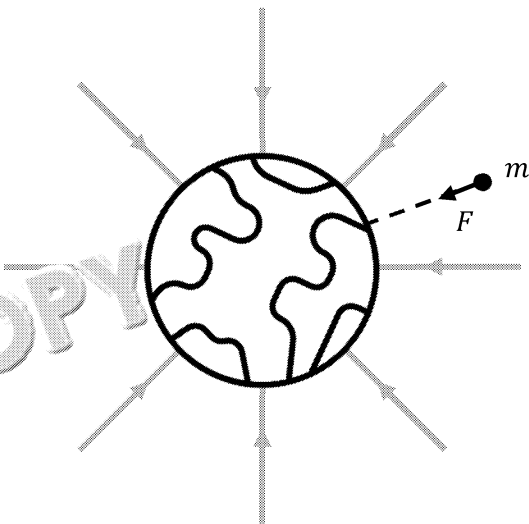


Gravitational Field Strength

The **stronger** a **gravitational field**, the **larger** the **force** that acts on a mass in the field.

The gravitational field strength, g , at a point in the field is the **force per unit mass** that acts on an object at that point.

$$g = \frac{F}{m}$$



Combining this equation with Newton's law of gravitation gives:

$$g = \frac{GM}{r^2}$$

Kepler's

Kepler's

Kepler's

1. A p

2. The

giv

3. The

rad

Kepler's

For orb

gravitat

Field lin

of the f

All grav

forces a

Therefo

gravita

lines po

toward

From fa

gravita

lines ar

point to

from al

COPYRIGHT
PROTECTED

Zig
Zag
Education

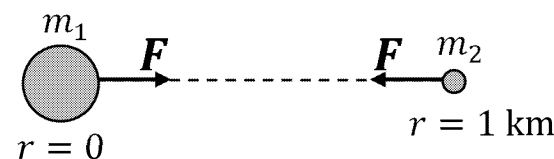
Gravitational Fields 2 – Additional Higher Level

Gravitational Potential Energy

A mass, m_2 , is an infinite distance away from another mass, m_1 . A gravitational force exists between m_1 and m_2 . There is no potential energy stored between m_1 and m_2 .



As m_2 is brought closer to m_1 , a gravitational force exists between m_1 and m_2 . The work done to bring m_2 closer to m_1 is now stored as potential energy between m_1 and m_2 .



If the masses are free to move, the attractive gravitational force will do work to bring m_1 and m_2 even closer, storing more potential energy. The potential energy stored between two masses is called **gravitational potential energy**, E_p .

$$E_p = -\frac{Gm_1m_2}{r}$$

The gravitational potential energy stored between two masses is:

- **larger** and more negative if either mass is **larger**
- **larger** and more negative if the masses are **closer**
- **zero** if one mass is **at infinity**

Escaping a Gravitational Field

Any object, such as a rocket, in the gravitational field of another object, such as Earth, will have gravitational potential energy.

If the rocket wants to move away from Earth, the rocket will need to do work to decrease the magnitude of its gravitational potential energy, thereby increasing its distance from Earth.

The work the rocket does during lift-off is first converted to kinetic energy, moving its position away from Earth. The faster the rocket travels, the more kinetic energy the rocket has to convert to gravitational potential energy, so the further away from Earth the rocket can travel.

A rocket can completely escape the gravitational field of Earth if it has enough kinetic energy, specified as this amount of kinetic energy is called the escape speed, v_{esc} .

$$v_{esc} = \sqrt{\frac{2GM}{r}}$$

This equation depends on the distance between the two masses. Therefore, it can be used to find the escape velocity from any point in a gravitational field.

Gravitational Potential

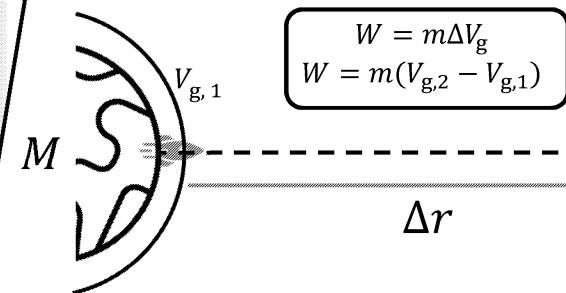
The **work** done to move a mass from this point to infinity. The gravitational potential at this point is V_g .

The gravitational potential at a point in a gravitational field is V_g .

Doing Work

To move a mass to a new point in a gravitational field, you must do work on the mass. A rocket engine accelerates itself off Earth.

The work done, W , moving a mass m to a new point in a gravitational field is calculated using:



Satellites in Orbit

A stationary object will fall towards a larger object, such as Earth, along an equipotential line, perpendicular to the gravitational field. This curved path around a large object is called an orbit.

Derivation of the Orbital Speed Equation

For a satellite to stay in orbit, the centripetal force causing the circular path must equal the gravitational force between the satellite and the larger object.

$$F_c = F_g$$

$$\frac{mv_{orbital}^2}{r} = \frac{GMm}{r^2}$$

The orbital velocity of the satellite must therefore be:

$$v_{orbital} = \sqrt{\frac{GM}{r}}$$

INSPECTION COPY

COPYRIGHT
PROTECTED



Electric and Magnetic

What is Electric Charge?

Electric charge, q , is a property of an object that allows the object to interact with electric fields.



The more electric charge an object has, the more it interacts with electric fields.

Like electric charge depends only on the object and not on the situation the object is in.

Coulomb's Law

Coulomb's law states that the force between two point charges depends on their charges q_1 and q_2 , and their separation r :

$$F = k \frac{q_1 q_2}{r^2}$$

$$k = \frac{1}{4\pi\epsilon_0}$$

There are two types of electric charge: positive and negative.



Opposite charges (one positive and one negative) **attract** each other.



Like charges (two positive or two negative) **repel** each other.



Transferring Electric Charge

Objects can gain or lose electric charge via three ways: friction, electrostatic induction, and conduction.



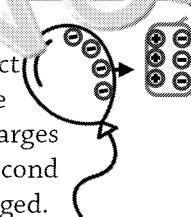
Friction

Rubbing two objects together can cause electric charge to be picked off one object and transferred to the other.

Insulators will store charge from friction.

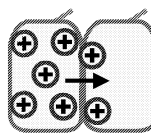
Electrostatic Induction

A charged object will induce opposite charges in the second object. If the charges are free to move, the second object will become charged.



Conduction

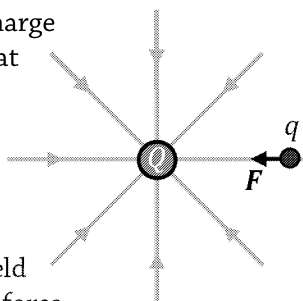
Electric charges can pass from one charged object to another when the objects are in contact. Charges will transfer until the electric charge of each object is equal in both sign and magnitude.



Electric Field Strength

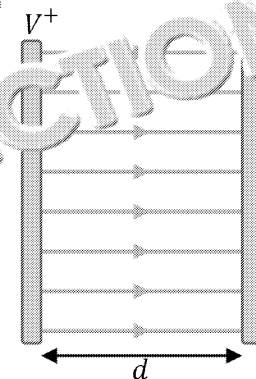
Electric field strength, E , at a point is equal to the force per unit charge that acts on an electric charge at that point in the field.

$$E = \frac{F}{q}$$



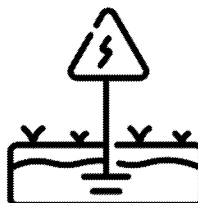
This is like the gravitational field strength, which is equal to the force per unit mass.

Electric fields can take any shape depending on the arrangement of electric charges. Two parallel plates with opposite charges will create a uniform electric field. The field lines all point in the same direction.



Grounding

A build-up of electric charge in an object can be dangerous. Large transfers of charge transfer a lot of energy which can burn people or start fires. Objects are grounded by connecting the object to the ground with a conducting wire. Any excess charge will flow to the ground, so no charge builds up in the object.



The density of electric field lines between parallel plates is constant. Therefore, the electric field strength between parallel plates is constant.

You can calculate this electric field strength from the gap between the plates, d , and the potential difference between the plates, V .

$$E = \frac{V}{d}$$

In 1910, Robert Millikan showed that electric charge is quantised.

Millikan used oil. Millikan knocked electrons off these negative droplets.

At the top of the page, Millikan showed that electric field would feel a force.

Millikan acted upon the droplets, acting upwards and downwards on them.

Millikan observed that the charge on the plates to cause the droplets to be stationary was quantised.

Millikan found that the potential difference increased in quantised amounts.

We now know that electric charge is quantised.

Just like gravity, electric fields exist in space. They are represented by field lines.

Electric field lines are represented by arrows. Field lines are always perpendicular to the surface of the object.

Near an electric field, the field lines are more densely packed.

INSPECTION COPY

COPYRIGHT
PROTECTED

Zig
Zag
Education

Electric and Magnetic Fields 2 – Additional Higher Level

Electric Potential Energy

A test charge, q_2 , is an infinite distance away from another charge, q_1 . An electric force will be between these charges, so there is electric potential energy stored between them.



When q_2 is brought closer to q_1 , a repulsive electric force F acts between both charges. The work done to bring q_2 closer to q_1 is now stored as electric potential energy between q_2 and q_1 .



The **electric potential energy**, E_p , stored between two charges is calculated using:

$$E_p = k \frac{q_1 q_2}{r}$$

Doing Work to Move an Electric Charge

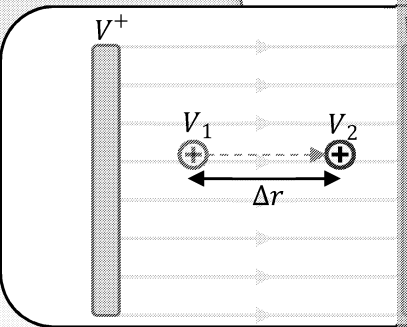
Moving an electric charge in an electric field will result in a **change in electric potential energy** (unless the electric potential does not change). This change in energy comes from the **electric field doing work**, W , to move to a new electric potential.

$$W = q \Delta V_p$$

The work done to move a charge q is equal to the product of the charge and the change in the electric potential.

$$W = q \Delta V_e$$

How are electric fields uniform?



What is a Test Charge?

How would you measure the strength of an electric field at a point near an unknown charge in the real world?

The easiest solution is to place a second charge at that point and see how this second charge behaves.

The more the second charge accelerates, the stronger the electric field at that point. This second charge is a test charge.



The

Subs

Eq

Units for Work Done

Work is a transfer of energy. Therefore, work is measured in units of energy such as **joules, J**. Sometimes, problems involve tiny electric charges, like electrons. The energies involved are also tiny, so you may find it more convenient to use **electronvolts, eV**, instead of joules.

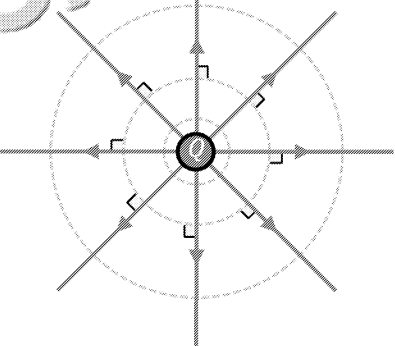
Remember, one electronvolt is the energy it takes to move an electron across an electric potential of one volt. $1 \text{ eV} = 1.6 \times 10^{-19} \text{ J}$

Equipotential Lines

Just like gravitational fields, electric fields have lines with constant electric potential called equipotential lines.

Every equipotential line:

- has the same electric potential at any point along the line
- is always perpendicular to the electric field lines
- always forms a closed loop



Moving an electric charge along an equipotential line takes no work because the electric potential does not change.

$$\begin{aligned} W &= q \Delta V \\ W &= q(0) \\ W &= 0 \text{ J} \end{aligned}$$

Equipotential

The real world is three-dimensional. Equipotential lines do not form a surface that is perpendicular to the electric field. These surfaces are called equipotential surfaces.

INSPECTION COPY

COPYRIGHT
PROTECTED

Zig
Zag
Education

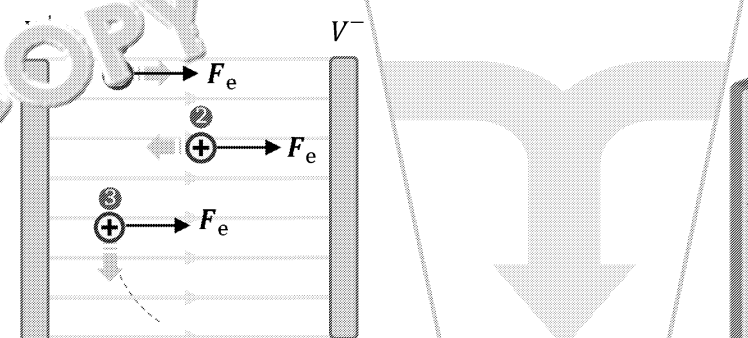
Motion in Electromagn

Charged Particle Moving Through an Electric Field

Any charged particle in an electric field will experience an **electric force** including those in motion.

The direction of this electric force relative to the direction of motion of a charge will make the charge **speed up** (1), **slow down** (2) or stay at a **constant speed** (3).

The electric force is **parallel** to the direction of motion of the charge. If the force is in the same direction as motion, the charge will **speed up**. If the force is opposite to the direction of motion, the charge will **slow down**. If the force is perpendicular to the direction of motion, the charge will take a **curved path** (3).



Accelerate

An electron will accelerate or decelerate a charge if a **component** of the charge's **velocity** is **parallel** to the **field**.

The **electric force** will **do work** on the charge, changing the charge's kinetic energy and speed.

In any interaction, energy must be conserved.

When an electric field does work on an electric charge, electric potential energy is transferred to kinetic energy.

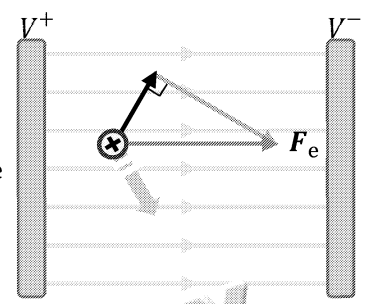
A magnetic field does no work on an electric charge so no energy is transferred to the charge. You can apply conservation of energy to problems to gain new information.

Conservation of Energy

What Causes Circular Motion of Charged

In both electric and magnetic fields, if a charge moves **at an angle to the field**, the charge will follow a **curved path**. Why does the charge take this curved path?

For a charge moving through an electric field, the force acts in the direction of the field. If the charge is moving at an angle to the field, there will be a **force component** that acts **perpendicular to the motion of the charge**.



For a charge moving at an angle through a magnetic field, the force acts **perpendicular** to both the field and the **motion of the charge**.

The M

The **magnitude** of the magnetic force that acts on a moving charge depends on four factors: the **magnitude** of the **charge**, q , the **speed** of the charge, v , the **magnetic field**, B , and the **angle** between the velocity of the charge and the magnetic field, θ .

$$F_b = qvB\sin\theta$$

The more perpendicular the charge moves relative to the magnetic field, the stronger the magnetic force because θ is closer to 90° .

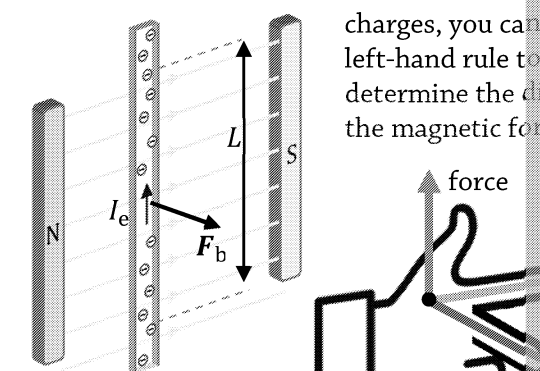
Magnetic Force on a Current-Carrying Wire

A wire carrying an electric current, I , is a thin piece of conducting material with many charges moving along its length, L . If a current-carrying wire is in a magnetic field, B , a magnetic force will act on each charge. The sum of all these forces results in a net magnetic force acting on the wire.

$$F_b = \sum qv\sin\theta$$

$$F_b = B \left(\sum \frac{q}{\Delta t} \right) (\Delta x) \sin\theta$$

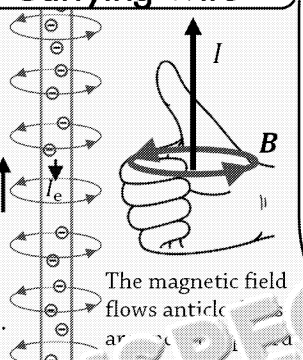
$$F_b = BIL\sin\theta$$



Just like for individual charges, you can use the left-hand rule to determine the direction of the magnetic force.

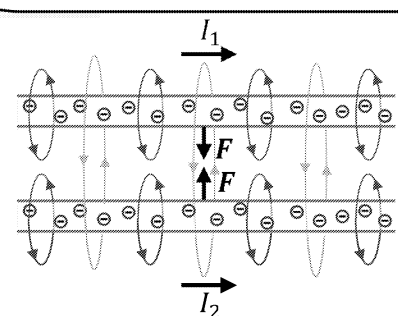
Magnetic Field around a Current-Carrying Wire

An electric current in motion also has its own magnetic field. This means a current-carrying wire has a magnetic field. You can find the direction using the right-hand thumb rule.



The magnetic field around two current-carrying wires will interact. The wires will exert a force on each other. The force per unit length, $\frac{F}{L}$, between two parallel wires separated by r can be calculated using:

$$\frac{F}{L} = \mu_0 \frac{I_1 I_2}{2\pi r}$$



If two parallel wires carry a current in the same direction, the overall magnetic field makes the wires attract each other.

If two parallel wires carry a current in opposite directions, the wires will repel each other.

Tip
The second finger points in the direction of conventional current I . This is the opposite to the electron current.

INSPECTION COPY

COPYRIGHT PROTECTED



Induction – Additional Higher

Moving a Conductor in a Magnetic Field

If you move a conductor through a magnetic field, the field will induce an electromotive force (emf) on the electric charges in the conductor. The charges will start to move, creating an imbalance of charge. One end of the conductor will become positively charged while the other end will become negatively charged.

For a straight conductor moving perpendicularly through a uniform magnetic field, the emf, \mathcal{E} , induced in the conductor is calculated using:

$$\mathcal{E} = BvL$$

Magnetic Flux

A magnetic field forms closed loops in all space around a magnet or an electric current. A magnetic field will pass through surfaces or objects, like the conductor above. The measure of a magnetic field, B , that passes through a specific area, A , is called the magnetic flux, Φ .

$$\Phi = BA \cos \theta$$

The magnetic flux through an area depends on the **angle** of the **area vector** relative to the magnetic field.

The more parallel the area vector is to the magnetic field lines that pass through the area, the larger the magnetic flux.

Analogy

The more perpendicular a surface becomes to a light beam, the higher the amount of light that hits the surface.

What is an Area Vector?

Every area has a vector that shows how the area interacts with other vector quantities.

The direction of the area vector points perpendicular away from the surface area.

The magnitude of the area vector is equal to the size of the area.

Changing Magnetic Flux

The magnetic flux passing through an area can change with time. For example, a permanent magnet can be moved towards a conducting sheet, or an electromagnet can be turned on and off, changing the magnetic flux through a conductor.

The rate of change of magnetic flux through a conductor is proportional to the emf induced in the conductor.

$$\mathcal{E} = -N \frac{\Delta \Phi}{\Delta t}$$

This relationship is called **Faraday's law of induction**.

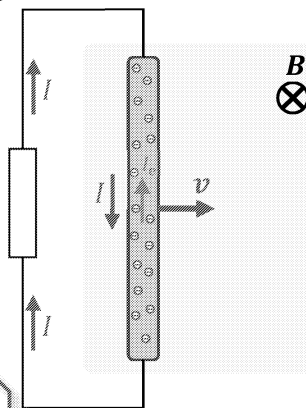
Do you notice the negative sign in Faraday's law? This shows that the current from an induced emf always has a magnetic field that **opposes** the inducing magnetic field. This is called **Lenz's law**.

from the law of conservation of energy.

A magnet moving towards the conducting coil on the left induces an electric current in the coil. Due to Lenz's law, this induced electric current must flow anticlockwise, so the current's own magnetic field points in the opposite direction to the magnet's field.

If you connect multiple conducting loops into a coil, each loop will experience a change in magnetic flux, further increasing the emf. Hence, N , the number of loops, is added to Faraday's law of induction.

If you connect the conductor to a closed circuit, an electric current will flow through the conductor and the circuit.



An emf is induced in this circuit.

1. The magnetic field is changing.
2. The conductor is moving.

Electric charges move along the wire, inducing a current.

This simple setup is a south pole.

When the magnet is moving up or down, the magnetic flux through the loop is not changing, so no emf is induced.

When the magnet is moving parallel to the surface, the magnetic flux through the loop is zero, so no emf is induced at this point.

As the coil moves away from the magnet, it again induces a current, but this time it is negative, and negative current flows in the opposite direction. This makes the current smooth as the coil moves.

The coil is vertical, so the induced current is zero.

The coil is horizontal, so the induced current is at its maximum.

A coil is made up of many loops. When a current flows through a coil, it generates a magnetic field. A single loop induces an emf, but a coil induces a larger emf. Lenz's law, this means the induced current opposes the change in magnetic flux. The magnetic field from the induced current opposes the change in magnetic flux. The induced emf in loop 2 then induces a current, and vice versa. The induced current opposes the change in magnetic flux, and the induced current opposes the change in magnetic flux.

INSPECTION COPY

COPYRIGHT
PROTECTED



Gravitational Fields 1

Universal Law of Gravitation

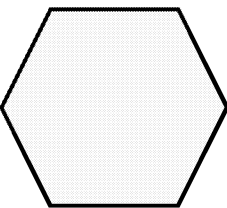
1. A 36 000 kg mass is placed 1.2 km away from a 8.2×10^7 kg mass. What is the magnitude of the gravitational force between these masses?

$F = G \frac{m_1 m_2}{r^2}$

36 000 kg



A student must consider the 2D object below as a point mass to solve a problem. Mark the location of this point mass on the object.

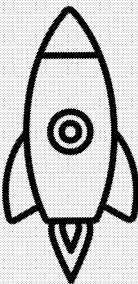
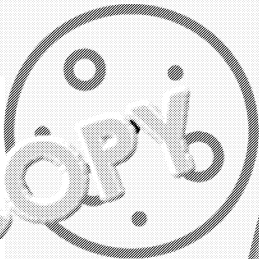


3. Fill in the gaps below to complete the sentence.

Any _____ **object** can be considered as a

point _____ if the **distance** from the object

_____ compared to the size of the object.



4. What happens to the Moon's gravitational field strength at the position of a rocket as the rocket moves away?



Gravitational Field Strength

5. The mass of Earth is 6.0×10^{24} kg and the mass of Mars is 6.4×10^{23} kg. Will a rocket require a different amount of fuel to take off from Earth compared to taking off from Mars? Explain your answer below.



6. Venus has a gravitational field strength 8000 km away from the centre of Mars?

$G = 6.67 \times 10^{-11} \text{ Nm}^2/\text{kg}^2$



$g = \frac{GM}{r^2}$

7. The following statements are true or false. Which are **true**?

<input type="checkbox"/>	The Sun orbits a planet.
<input type="checkbox"/>	An elliptical orbit has a constant speed.
<input type="checkbox"/>	Planets travel faster when they are closer to the Sun.
<input type="checkbox"/>	The area covered by a planet's orbit is constant.
<input type="checkbox"/>	If a planet's period of orbit is long, it is far from the Sun.
<input type="checkbox"/>	The electromagnetic force is a long-range force.
<input type="checkbox"/>	Kepler's laws only apply to the Solar System.

8. The mass of Earth is 6.0×10^{24} kg. The mass of the Moon is 7.3×10^{22} kg. The mass of the Sun is 2.0×10^{30} kg. The mass of the galaxy is 1.5×10^{41} kg. The mass of the universe is 1.0×10^{52} kg. The mass of the observable universe is 1.0×10^{52} kg.

Gravitational Field Lines

9. Fill in the gap to complete the sentence. Field lines show the direction of the gravitational field. They also show the **direction** of the field.

10. Draw the gravitational field lines for a point mass.

INSPECTION COPY

COPYRIGHT
PROTECTED



Gravitational Fields 2 – Additional High

Gravitational Potential Energy

1. A 2.0 kg mass is moved from infinity to 7.5 m away from a 6.3 kg mass. What is the gravitational potential energy stored between the two masses?



$$G = 6.67 \times 10^{-11} \text{Nm}^2/\text{kg}^2$$

$$E_p = -\frac{Gm_1m_2}{r}$$

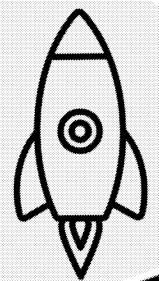
2. Fill in the blanks to complete the sentences.

The gravitational potential energy stored between two masses is _____ negative unless one mass is at infinity. The _____ two masses are, or the _____ their mass, the higher the gravitational potential energy stored between the masses.

Gravitational

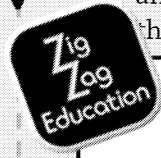
5. What is the gravitational potential energy stored between two masses?
Write your details in the box below.

6. A 1 kg mass is moved from infinity to 10 m away from a 100 kg mass. What is the gravitational potential energy stored between the two masses? Write your details in the box below.



Escaping a Gravitational Field

3. A private rocket company wants to launch a satellite into an orbit 400 km above Earth's surface. How fast should the rocket travel to place this satellite into its orbit?



$$v_{\text{esc}} = \sqrt{\frac{2GM}{r}}$$

$$v_{\text{orb}} = \sqrt{\frac{GM}{r}}$$

4. A satellite is currently orbiting the Moon 650 km above the Moon's surface. The satellite wants to move to a new orbit, 5400 km above the Moon's surface. By how much should the satellite decrease its speed? The Moon has a radius of 1737 km and a mass of 7.3×10^{22} kg.

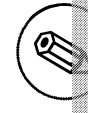
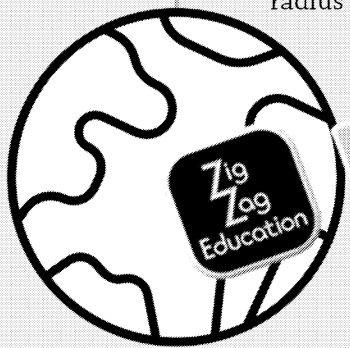
Doing Work

$$W = m\Delta V_g$$

7. How much work should a 430 kg rocket do to move from a gravitational potential of 65 J/kg to 78 J/kg?

Satellites in Orbit

8. How fast must a planet travel to orbit the Sun at a distance of 1.5×10^{18} m? The mass of the Sun is 2.0×10^{30} kg.



INSPECTION COPY

COPYRIGHT
PROTECTED



Electric and Magnetic Fields

Coulomb's Law

1. Two charges, both 1.9 C, are separated by 4.3 m. What is the force that acts between the charges? In what direction will these charges move?



2. A physicist has two equal charges, $q_1 = q_2$, separated by a distance r . The physicist doubles the charge on q_2 and moves it twice as far away. How does the force between the two charges change?

$F = k \frac{q_1 q_2}{r^2}$

$k = \frac{1}{4\pi\epsilon_0}$

$\epsilon_0 = 8.85 \times 10^{-12} \text{ C}^2/\text{N m}^2$

- a) the force doubles ☐
b) the force quadruples ☐
c) the force is halved ☐
d) the force does not change ☐

9. In the box below, write down your observation.

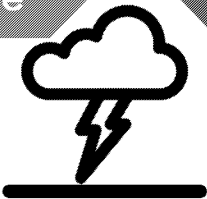
Transferring Electric Charge

3. Match the description to the type of electric charge transfer.

Electric charges can pass from one charged object to another when the objects are in contact.

A charged object near a second object will attract and repel charges in the second object. If the charges are free to move, the second object will become charged.

Rubbing two objects together can cause electric charges to be transferred off one object and onto the other.



Conduction



Induction

Conservation of Electric Charge

4. In the box below, write down the law of conservation of charge.



10. On the axes below, draw the electric field lines between these three charges.

Charge

Electric Field Strength

5. An electric field exerts a 1.5 mN force on an electron. What is the electric field strength at the position of the electron? The charge of an electron is $1.602 \times 10^{-19} \text{ C}$.



7. An electric field between two parallel plates has a strength of 84 V/m. What is the potential difference between the plates?



Grounding

6. Fill in the blanks to complete the sentences. Objects are grounded by connecting the object to the ground with a _____ wire. Any excess _____ will flow to the ground, so no charge builds up in the object.



8. A $+3 \text{ mC}$ charge is accelerated by an electric field across a 1.2 m distance. The force the electric field exerts on the charge is 75 mN. What is the potential difference between the start and end position of the charge?



Electric Field Lines

11. Draw the electric field lines between these three charges.

INSPECTION COPY

COPYRIGHT
PROTECTED



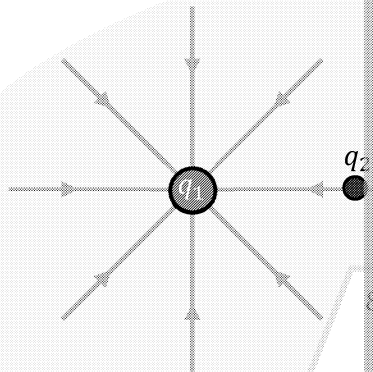
Electric and Magnetic Fields 2 – Additional

INSPECTION COPY

Electric Potential Energy

$k = 8.99 \times 10^9 \text{ N m}^2/\text{C}^2$
 $E_p = k \frac{q_1 q_2}{r}$

1. How much electric potential energy is stored between two -7.4 C charges placed 62 cm apart?
2. A +1.6 mC charge and a -1.6 mC charge are held at rest, separated by a spring. 25 J of electric potential energy is stored in the spring. What is the separation distance between the charges?



Doing Work to Move an Electric Charge

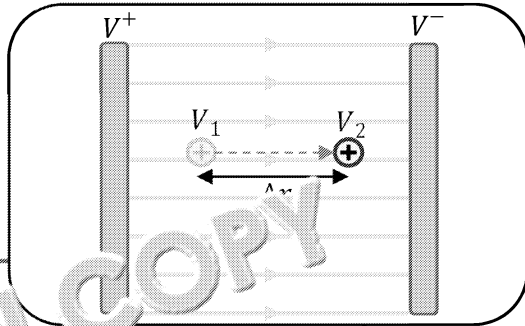
3. What is the change in electric potential energy of an electron when it is moved from an electric potential of 15 V to an electric potential of 8 V? The charge of an electron is $-1.602 \times 10^{-19} \text{ C}$.
a) 15 eV ☐
b) 7 eV ☐
c) 1.9 eV ☐
d) 0.5 eV ☐
4. An electric field does 25 J of work on a proton. What is the change in electric potential between the start and end points of the proton? A proton has a charge of $1.602 \times 10^{-19} \text{ C}$.



9. Fill in the blank.
The work done by an electric field on a charge q moving from point A to point B is equal to the change in electric potential energy, $W_{AB} = \Delta E_p$.

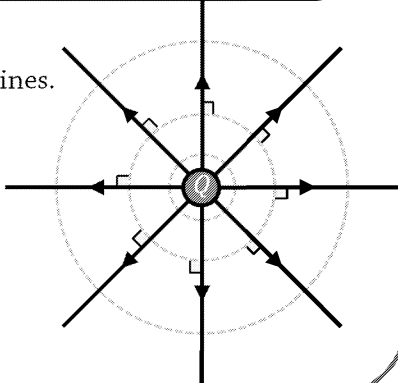
10. A student finds that the work done by an electric field on a charge q moving from point A to point B is 3.6 J. What is the change in electric potential between A and B?

5. Write a definition of an electronvolt relating it to joules. Then convert 2.0 eV into joules.

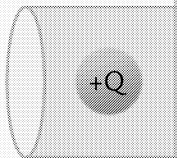


Equipotential Lines

6. Fill in the blanks to complete the sentences.
Electric fields have lines with constant electric _____ called equipotential lines.
Every equipotential line:
 - has the _____ electric potential at any point along the line
 - is always _____ to the electric field lines
 - always forms a _____ loop



Equipotential Lines



COPYRIGHT
PROTECTED

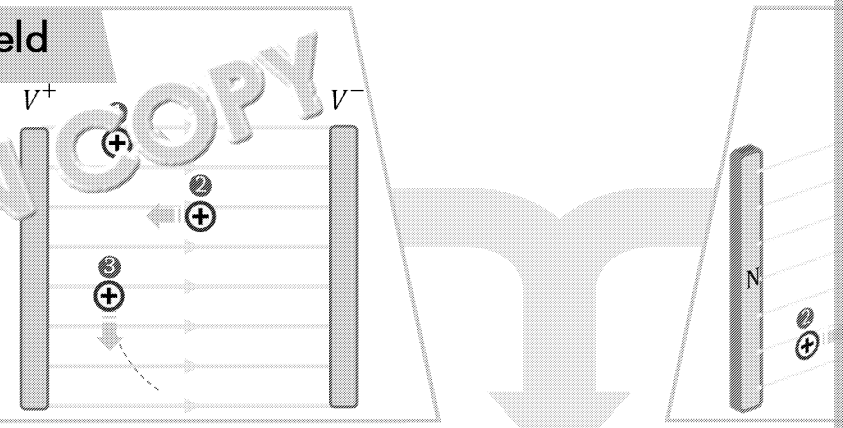


Motion in Electromagnetic

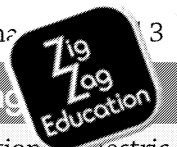
Charged Particle Moving Through an Electric Field

1. The diagram on the right shows three charges moving through a uniform electric field. Which charges experience an electric force?

- a) only charge 1 ☐
- b) charges 1 and 2 ☐
- c) charge 1, 2 and 3 ☐
- d) charges 2 and 3 ☐



Accelerating



3. Explain why a stationary electric charge will accelerate if placed in an electric field.

What Causes Circular Motion of Charged Particles

4. Fill in the blanks to complete the sentences.

For a charge moving through an _____ field, the force acts in the direction of the field. For a charge moving through a _____ **to the motion of the charge**. For a charge moving at an angle through a magnetic field, the force acts _____ **charge**. In both cases, a force acts _____ to the velocity of the charge. This force acts as a centripetal force, constantly turns the charge, making the charge take a curved, circular path.

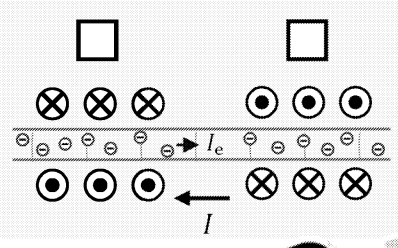
Conservation of Energy

5. Which of the following statements is true?

- a) The energy of a closed isolated system must always stay constant. ☐
- b) The energy of an open isolated system is always constant. ☐
- c) The energy of a closed isolated system depends on the charge of the system. ☐

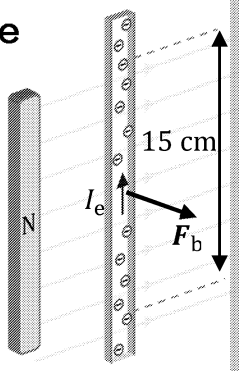
Magnetic Field around a Current-Carrying Wire

8. Which set of field symbols shows the correct direction of the magnetic field around this current?



Magnetic Force on a Current-Carrying Wire

9. A wire carrying a current of 25 mA is placed perpendicular to a uniform magnetic field. The field has a strength of 7.5 mT and 15 cm of the wire sits in the field. What is the size of the magnetic force that acts on the wire?



$$F_b = BIL\sin\theta$$

$$\frac{F}{L} = \mu_0 \frac{I_1 I_2}{2\pi r}$$

$$\mu_0 = 4\pi \times 10^{-7} \text{ N/A}^2$$

11. Two wires each carrying a current of 1.0 A in the same direction are placed parallel to each other, 0.1 m apart. What is the force per unit length that acts on these wires?



INSPECTION COPY

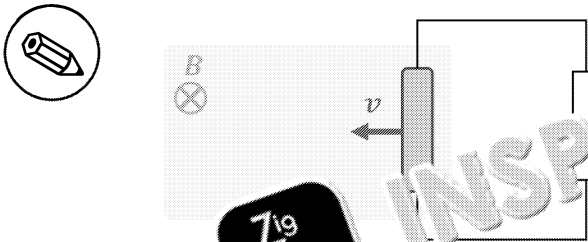
COPYRIGHT
PROTECTED



Induction – Additional Higher Level

Moving a Conductor in a Magnetic Field

1. Which direction will a current flow around this circuit if the wire is moved to the left through the magnetic field? Draw arrows on the circuit to indicate the current's direction.



2. A conductor is moved perpendicular through a uniform magnetic field at 0.5 m/s. The length of the conductor is 0.2 m. The field has a strength of 2.0 T. What emf is induced in the conductor?

Blank space for answer to question 2.

Magnet Flux

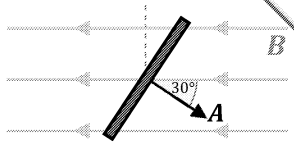


$\Phi = BA \cos \theta$

3. A sheet of copper with an area of 25 cm² is placed in a magnetic field at a 45° angle to the field. The magnetic field strength is 350 mT. What is the magnetic flux through the copper sheet?

- a) $6.2 \times 10^{-4} \text{ Tm}^2$ ☐
- b) 6.2 Tm^2 ☐
- c) $5.1 \times 10^{-3} \text{ Tm}^2$ ☐
- d) 51 Tm^2 ☐

4. A magnetic flux of $6.4 \times 10^{-2} \text{ Tm}^2$ passes through a conducting sheet with an area of 0.75 m². The area vector of the sheet makes a 30° angle with the magnetic field. What is the magnetic field strength?



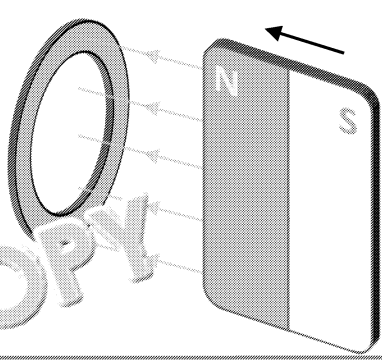
Blank space for answer to question 4.

A Time Varying Magnetic Flux

$\epsilon = -N \frac{\Delta \Phi}{\Delta t}$ $\epsilon = IR$

5. The north pole of a magnet moves towards a copper ring, inducing a current in the ring. The ring has an area of 3.0 cm² and is perpendicular to the field lines from the magnet. The magnet moves towards the ring from very far away, where B at the ring is zero, to a position where B at the ring is 60 mT in 45 s. The ring has a resistance, R, of 30 Ω. What is the current induced in the ring by the motion of the magnet?

Blank space for answer to question 5.



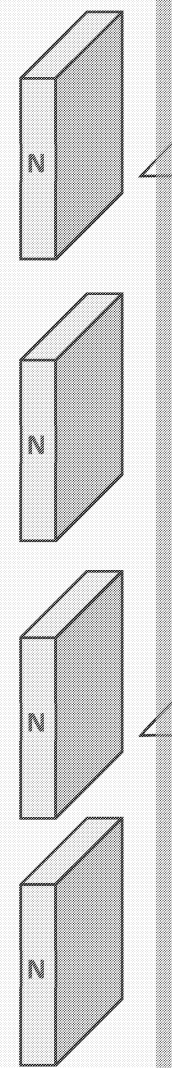
6. Fill in the gaps to complete the sentences.
- A coil is made up of multiple loops of a conductor. When a magnetic field is applied, the field from each loop induces an emf in the loops next to it.
- The magnetic field from loop 1 induces an emf in loop 2.
- This self-inductance means **coils resist changes in**

7. Describe two ways to induce an emf in a coil.

Blank space for answer to question 7.

How to Induce an emf

8. Draw the current induced in a coil rotating in a magnetic field.

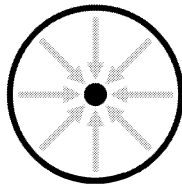


COPYRIGHT PROTECTED

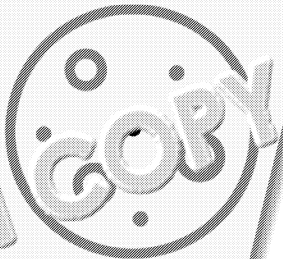


Gravitational Fields 1

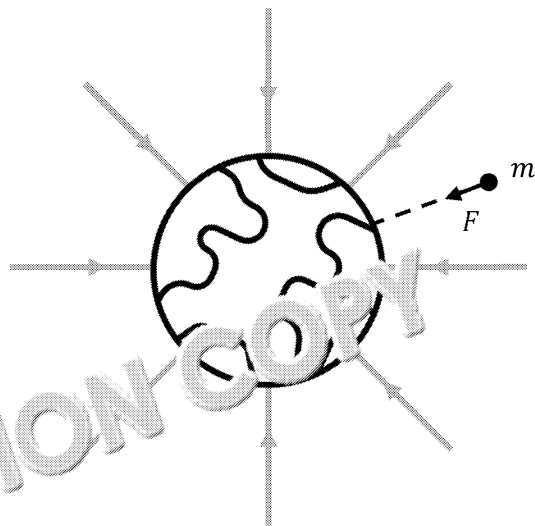
Universal Law of Gravitation



Kepler's Laws



Gravitational Field Strength



Gravitation




INSPECTION COPY

COPYRIGHT
PROTECTED



Gravitational Fields 2 – Additional Higher Level Co

Gravitational Potential Energy




INSPECTION COPY

Gravitational Po

Doing Work


Escaping a Gravitational Field



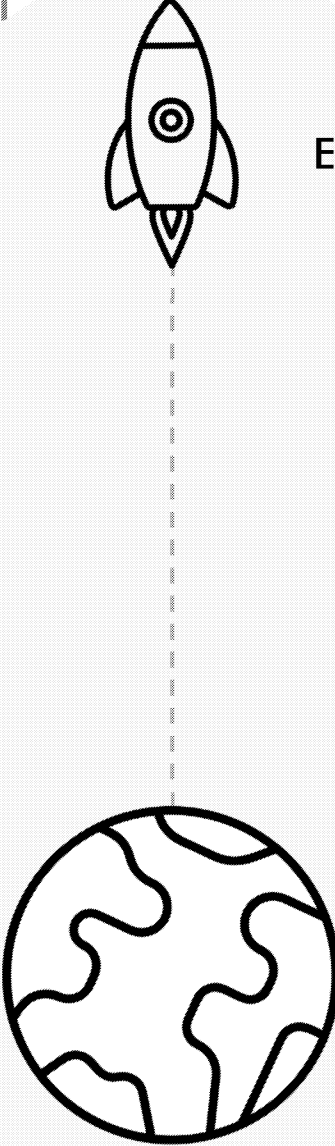
INSPECTION COPY

Satellites in Orbi

Derivation of the Orbital Speed Equation



INSPECTION COPY



The gravitational potential energy stored between two masses is:

INSPECTION COPY

COPYRIGHT
PROTECTED



What is Electric Charge?

Coulomb's Law



INSPECTION COPY

Transferring Electric Charge

Friction

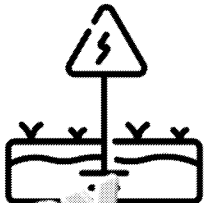


Electrostatic Induction

Conservation of Electric Charge

Conduction

Electric Field Strength

Grounding



INSPECTION COPY

INSPECTION COPY

INSPECTION COPY

COPYRIGHT
PROTECTED



Electric and Magnetic Fields 2 – Additional Higher Level Co

INSPECTION COPY

Electric Potential Energy



INSPECTION COPY

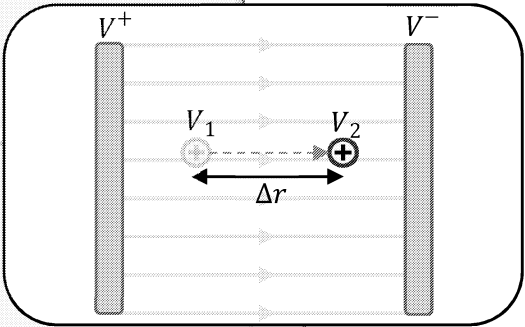
Doing Work to Move an Electric Charge

Electric

Units for Work Done



What is a Test Charge?



Equipotential S

Equipotential Lines



INSPECTION COPY

COPYRIGHT
PROTECTED



Motion in Electromagnetic Field

Charged Particle Moving Through an Electric Field

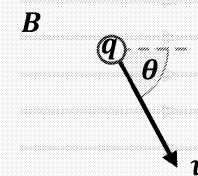
Accelerating Charge



What Causes Circular Motion of Charged Particles in

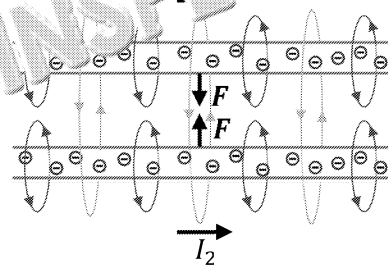
Conservation of Energy

The Magnetic Force



Magnetic Field around a Current-Carrying Wire

Magnetic Force on a Current-Carrying Wire



COPYRIGHT
PROTECTED



Induction – Additional Higher Level C

Moving a Conductor in a Magnetic Field

Magnet Flux

Analogy

What is an Area Vector?

A Time-Changing Magnetic Flux

Self-Induction

INSPECTION COPY

COPYRIGHT
PROTECTED



IB Topic on a Page, Theme D: Mark

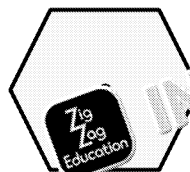
Gravitational Fields 1

1. $F = G \frac{m_1 m_2}{r^2}$

$$F = (6.67 \times 10^{-11} \text{ Nm}^2/\text{kg}^2) \frac{(3.6 \times 10^4 \text{ kg})(8.2 \times 10^7 \text{ kg})}{(1.2 \times 10^3)^2}$$

$$F = 1.4 \times 10^{-4} \text{ N}$$

2.



3. Any **extended** object can be considered as a **point mass** if the **distance** compared to the size of the object.

4. At the position of the moving rocket, the Moon's gravitational field strength is smaller than that of Earth.

5. Yes, a rocket taking off from Earth will need more fuel because Earth's gravitational field strength is larger than that of Mars. The rocket must overcome a larger gravitational force.

6. $g = \frac{GM}{r^2}$

$$g = (6.67 \times 10^{-11} \text{ Nm}^2/\text{kg}^2) \frac{(6.4 \times 10^{23} \text{ kg})}{(8.0 \times 10^6 \text{ m})^2}$$

$$g = 0.67 \text{ m/s}^2$$

7.

Statement
The Sun orbits a planet in an elliptical orbit, with the planet at one focus.
An elliptical orbit has two foci.
Planets travel faster when they are closer to the Sun.
The line connecting the Sun and a planet is perpendicular to the planet's orbit.
If a planet's period of orbit increases, its radius of orbit also increases.
The electromagnetic force between a planet and the Sun is what allows the planet to orbit the Sun.
Kepler's laws only apply to planets orbiting the Sun.

8. $T^2 = \left(\frac{4\pi^2}{GM} \right) r^3$

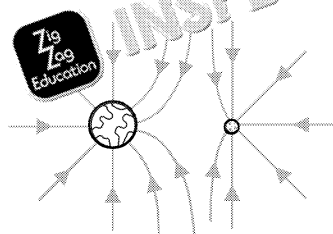
$$r = \sqrt[3]{\frac{GMT^2}{4\pi^2}}$$

$$r = \sqrt[3]{\frac{(6.67 \times 10^{-11} \text{ Nm}^2/\text{kg}^2)(2.0 \times 10^{30} \text{ kg})((365 \times 24 \times 60 \times 60 \text{ s})^2)}{4\pi^2}}$$

$$r = 1.5 \times 10^{11} \text{ m}$$

9. Field lines show the **strength** and **direction** of the field at all points in space. The **direction of the field** is the **direction** of the **field lines** and the **density** of the **field lines** represents the **strength** of the field.

10.



INSPECTION COPY

COPYRIGHT
PROTECTED



Gravitational Fields 2 (Additional Higher Level Content)

$$1. E_p = -\frac{Gm_1m_2}{r}$$

$$E_p = -(6.67 \times 10^{-11} \text{ Nm}^2/\text{kg}^2) \frac{(2.0 \text{ kg})(6.3 \text{ kg})}{(7.5 \text{ m})}$$

$$E_p = -1.1 \times 10^{-10} \text{ J}$$

2. The gravitational potential energy stored between two masses is always at infinity. The closer/nearer two masses are, or the larger/greater their gravitational potential energy stored between the masses.

$$3. v_{\text{esc}} =$$

$$v_{\text{esc}} = \sqrt{\frac{2(6.67 \times 10^{-11} \text{ Nm}^2/\text{kg}^2)(6.0 \times 10^{24} \text{ kg})}{(4.2 \times 10^7 \text{ m})}}$$

$$v_{\text{esc}} = 4.4 \text{ km/s} = \sqrt{\frac{GM}{r}}$$

$$4. \Delta v_{\text{orb}} = \sqrt{\frac{GM}{r_f}} - \sqrt{\frac{GM}{r_i}}$$

$$\Delta v_{\text{orb}} = \sqrt{\frac{(6.67 \times 10^{-11} \text{ Nm}^2/\text{kg}^2)(7.3 \times 10^{22} \text{ kg})}{(5.4 \times 10^6 \text{ m} + 1.737 \times 10^6 \text{ m})}} - \sqrt{\frac{(6.67 \times 10^{-11} \text{ Nm}^2/\text{kg}^2)(7.3 \times 10^{22} \text{ kg})}{6.5 \times 10^5 \text{ m}}}$$

$$\Delta v_{\text{orb}} = 602 \text{ m/s} \approx 600 \text{ m/s}$$

5. The gravitational potential at a point in space is the **work done per unit mass** from infinity to that point.

$$6. \Delta V_g = -G \frac{M}{r_f} - \left(-G \frac{M}{r_i} \right)$$

$$\Delta V_g = -G \left(\frac{1}{r_f} - \frac{1}{r_i} \right)$$

$$\Delta V_g = -(6.67 \times 10^{-11} \text{ Nm}^2/\text{kg}^2)(180 \text{ kg}) \left(\frac{1}{760 \text{ m}} - \frac{1}{750 \text{ m}} \right)$$

$$\Delta V_g = 2.1 \times 10^{-13} \text{ J/kg}$$

The change in gravitational potential is $2.1 \times 10^{-13} \text{ J/kg}$. The gravitational field strength at these points is:

$$g = -\frac{\Delta V_g}{\Delta r}$$

$$g = -\frac{2.1 \times 10^{-13} \text{ J/kg}}{760 \text{ m} - 750 \text{ m}}$$

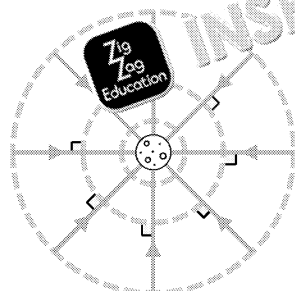
$$g = -2.1 \times 10^{-14} \text{ m/s}^2$$

$$7. W = m\Delta V_g$$

$$W = (430 \text{ kg})(78 \text{ J/kg} - 65 \text{ J/kg})$$

$$W = 5590 \text{ J} \approx 5600 \text{ J}$$

8.



INSPECTION COPY

COPYRIGHT
PROTECTED



9. $v_{\text{orb}} = \sqrt{\frac{GM}{r}}$

$$v_{\text{orb}} = \sqrt{\frac{(6.67 \times 10^{-11} \text{ Nm}^2/\text{kg}^2)(2.0 \times 10^{30} \text{ kg})}{(1.7 \times 10^{18} \text{ m})}}$$

$$v_{\text{orb}} = 8.9 \text{ m/s}$$

10. If a satellite is slower than the calculated orbital speed, the satellite will spiral into Earth's atmosphere. Earth's atmosphere exerts a **drag** force on all nearby objects, slowing their speed and fall out of orbit. Satellites need to accelerate every so often to maintain their orbit.

Electric and Magnetic Fields 1

1. $F = k \frac{q_1 q_2}{r^2}$

$$F = 8.99 \times 10^9 \text{ N m}^2/\text{C}^2 \frac{(1.9 \text{ C})(1.9 \text{ C})}{(4.3 \text{ m})^2}$$

$$F = 1.8 \times 10^9 \text{ N}$$

The direction of the force will be along the line joining the charges, away from each other since both charges are positive.

2. c) the force is halved
3.

Conduction	Electric charges can pass from one charged object to another if they are in contact.
Friction	Rubbing two objects together can cause electric charges to be transferred from one object to the other.
Induction	A charged object near a second object will attract or repel it. If the charges are free to move, the second object will become charged.

4. The law of conservation of electric charge states that the **total electric charge** in a closed system stays **constant**.

5. $E = \frac{F}{q}$

$$E = \frac{1.5 \times 10^{-3} \text{ N}}{1.602 \times 10^{-19} \text{ C}}$$

$$E = 9.4 \times 10^{15} \text{ N/C}$$

6. Objects are grounded by connecting the object to the ground with a conducting wire. A **charge** will flow to the ground, so no charge builds up in the object.

7. $\Delta V = Ed$

$$\Delta V = (84 \text{ V/m})(0.18 \text{ m})$$

$$\Delta V = 15 \text{ V}$$

8. $\Delta V = \left(\frac{F}{q}\right)d$

$$\Delta V = \left(\frac{1.1 \times 10^{-3} \text{ N}}{10^{-3} \text{ C}}\right)(1.4 \text{ m})$$

$$\Delta V = 28 \text{ V}$$

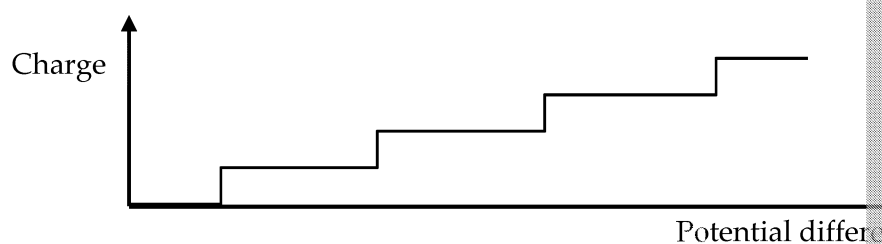
INSPECTION COPY

**COPYRIGHT
PROTECTED**

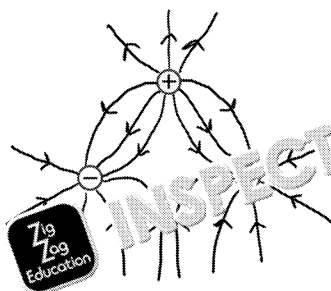


- 9.
- Millikan sprayed oil into a chamber, creating very small droplets
 - Millikan also aimed an X-ray source at the chamber.
 - X-rays knocked electrons out of the atoms in the oil droplets. Recharged electrons from the oil droplets left the droplets positively charged.
 - At the top and bottom of the chamber were two parallel plates. By adjusting the voltage across these plates, creating a uniform electric field inside the chamber.
 - The positively charged oil droplets would feel an electric force from the electric field.
 - Millikan adjusted the voltage of the electric field until the electric force on the droplets was equal to the gravitational force pulling down on the droplets. When the droplets floated in position inside the chamber.
 - When this happened, Millikan could use the potential difference between the plates to calculate the charge of each oil droplet.
 - Millikan found that the charge of oil droplets did not increase steadily with the potential difference between his parallel plates. Instead, the electric charge on the droplets increased in discrete steps, showing that electric charge was removed from the droplets in quantised amounts.

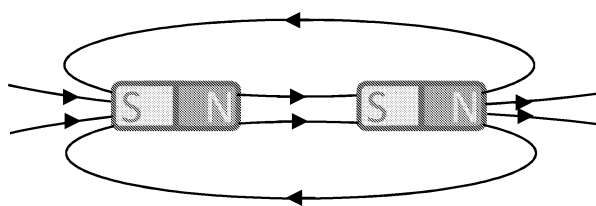
10.



11.



12.

COPYRIGHT
PROTECTED

Electric and Magnetic Fields 2 (Additional Higher Level Content)

1. $E_p = k \frac{q_1 q_2}{r}$

$$E_p = (8.99 \times 10^9 \text{ N m}^2/\text{C}^2) \frac{(-7.4 \text{ C})(-7.4 \text{ C})}{(0.62 \text{ m})}$$

$$E_p = 7.9 \times 10^{11} \text{ J}$$

2. $E_p = k \frac{q_1 q_2}{r}$

$$r = k \frac{q_1 q_2}{E_p}$$

$$r = (8.99 \times 10^9 \text{ N m}^2/\text{C}^2) \frac{(+1.6 \times 10^{-3} \text{ C})(-7.8 \times 10^{-3} \text{ C})}{-25 \text{ J}}$$

$$r = 4.5 \text{ km}$$

3. b) 7 eV

4. $W = q\Delta V_e$

$$\Delta V_e = \frac{W}{q}$$

$$\Delta V_e = \frac{(25 \text{ eV}) \times (1.602 \times 10^{-19} \text{ J/eV})}{(1.602 \times 10^{-19} \text{ C})}$$

$$\Delta V_e = 25 \text{ V}$$

5. One electronvolt is the energy it takes to move an electron across an

$$2.9 \times 10^{-17} \text{ J} = \frac{2.9 \times 10^{-17} \text{ J}}{1.602 \times 10^{-19} \text{ J/eV}}$$

$$2.9 \times 10^{-17} \text{ J} = 181 \text{ eV}$$

6. Electric fields have lines with a constant electric potential called equipotential lines. Every equipotential line:

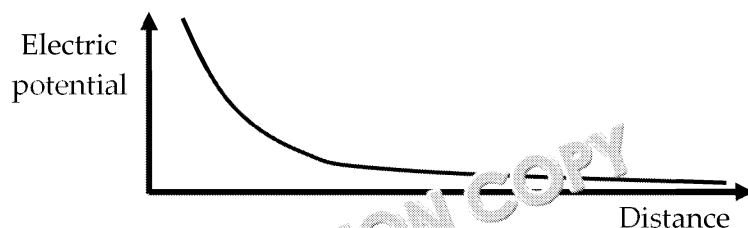
- is perpendicular to the electric field lines
- always forms a closed loop

7. $V_e = \frac{kq_1}{r}$

$$V_e = (8.99 \times 10^9 \text{ N m}^2/\text{C}^2) \frac{(-1.602 \times 10^{-19} \text{ C})}{(1.5 \times 10^{-10} \text{ m})}$$

$$V_e = -96 \text{ mV}$$

8.



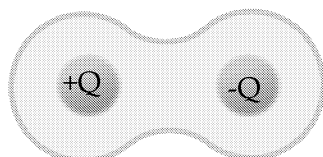
9. $W_e = -q\Delta V = -q(V_2 - V_1)$

10. $E = -\frac{\Delta V_e}{\Delta r}$

$$E = \frac{3.6 \text{ V}}{(1 \times 10^{-2} \text{ m})}$$

$$E = 360 \text{ V/m}$$

11. (Third option)



INSPECTION COPY

COPYRIGHT
PROTECTED



Motion in Electromagnetic Fields

- c) charge 1, 2 and 3

2.

Statement
If the charge moves perpendicular to the magnetic field, no magnetic force acts on the charge.
The magnetic force does not increase the speed of the charge.
A charge moving perpendicular to a magnetic field will follow a curved path.

- The electric field exerts an electric force on any charge in the field, even if the charge is at rest. This force accelerates the charge.

- For a charge moving through an **electric** field, the force acts in the direction of the field. If the charge is moving at an angle to the field, there will be a **force component** that acts **parallel** to the field and a **force component** that acts **perpendicular** to both the field and the **motion of the charge**. In a magnetic field, the force acts **perpendicular** to the velocity of the charge. This force acts as a **centripetal** force, causing the charge to move in a curved, circular path.

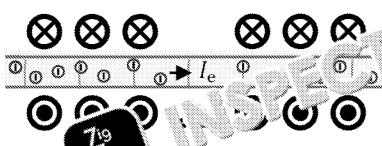
- a) The energy of a closed isolated system must always stay constant.

$$F_b = qvB\sin\theta$$

$$F_b = (1.602 \times 10^{-19} \text{ C})(3.5 \times 10^3 \text{ m/s})(5 \times 10^{-2} \text{ T})\sin(60^\circ)$$

$$F_b = 2.4 \times 10^{-17} \text{ N}$$

- b) -z direction

- 

$$F_b = BIL\sin\theta$$

$$F_b = (7.5 \times 10^{-3} \text{ T})(0.025 \text{ A})(0.15 \text{ m})\sin(90^\circ)$$

$$F_b = 2.8 \times 10^{-4} \text{ N}$$

$$10. \frac{q}{m} = \frac{v}{rB\sin\theta}$$

$$\frac{q}{m} = \frac{(1350 \text{ m/s})}{(1.0 \times 10^{-4} \text{ m})(0.14 \text{ T})\sin(90^\circ)}$$

$$\frac{q}{m} = 9.6 \times 10^7 \text{ C/kg}$$

$$11. \frac{F}{L} = \mu_0 \frac{I_1 I_2}{2\pi r}$$

$$\frac{F}{L} = (4\pi \times 10^{-7}) \frac{(1.0 \text{ A})(1.0 \text{ A})}{2\pi(0.2 \text{ m})}$$

$$\frac{F}{L} = 1.0 \times 10^{-6} \text{ N/m}$$

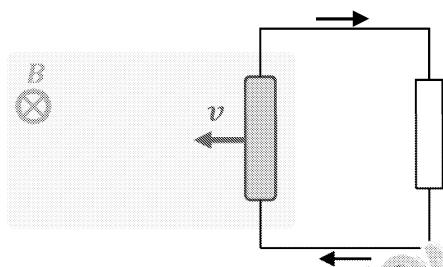
INSPECTION COPY

COPYRIGHT
PROTECTED



Induction (Additional Higher Level Content)

1.



2. $\varepsilon = BvL$

$$\varepsilon = (0.24 \text{ T})(0.12 \text{ m})(1.5 \text{ m/s})$$

$$\varepsilon = 1 \text{ V}$$

3. a) $6.2 \times 10^{-4} \text{ Tm}^2$

4. $\Phi = B A \cos \theta$

$$B = \frac{\Phi}{A \cos \theta}$$

$$B = \frac{6.4 \times 10^{-2} \text{ Tm}^2}{(0.75 \text{ m}^2) \cos(30^\circ)}$$

$$B = 99 \text{ mT}$$

5. $IR = -N \frac{\Delta \Phi}{\Delta t}$

$$I = -N \frac{(B A \cos \theta - 0)}{R \Delta t}$$

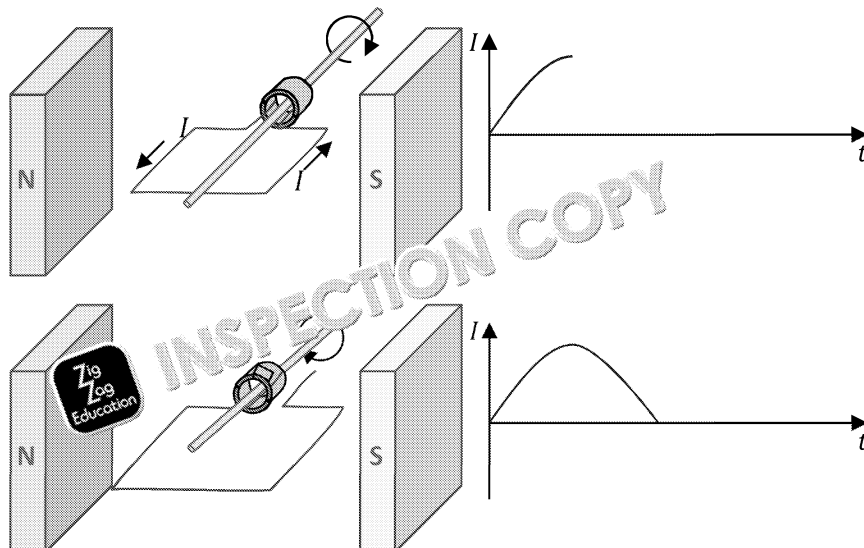
$$I = -(1) \frac{((6.0 \times 10^{-2} \text{ T})(3.0 \times 10^{-4} \text{ m}^2) \cos(0^\circ))}{(30 \Omega)(45 \text{ s})}$$

$$I = -1.3 \times 10^{-8} \text{ A}$$

6. A coil is made of multiple loops of a conductor. When a current flows through the coil, it generates a **magnetic** field. The magnetic field from each loop induces an emf in the other loops. Apply **Lenz's** law, this emf opposes the initial current. The magnetic field from the induced current opposes the change in magnetic field that induces it. This self-induction creates an emf in loop 2 that opposes the initial current, and vice versa. This self-induction creates **changes in electric current** flowing through them.

7. • The source of a magnetic field and a conductor move relative to each other.
• The magnetic field from a source changes with time.

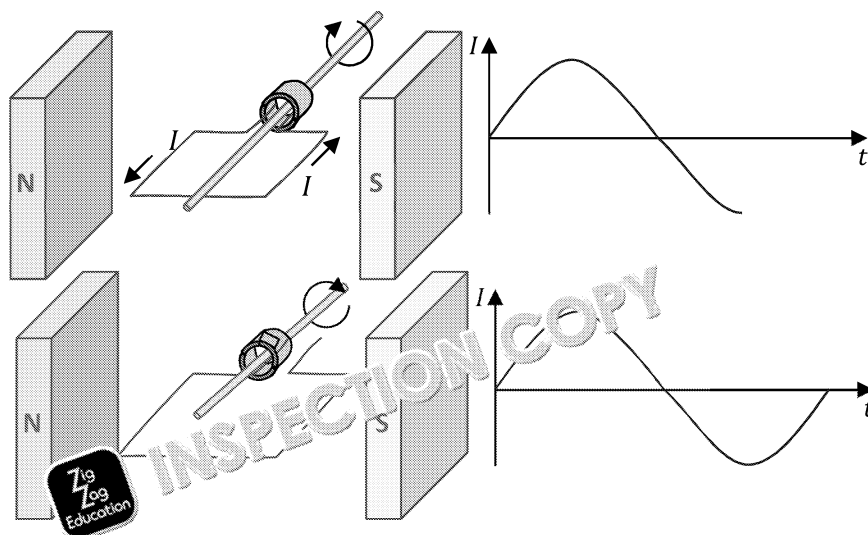
8. Mark graphs only:



INSPECTION COPY

COPYRIGHT
PROTECTED





9. Electric generators allow us to generate electric power from a variety of sources, including burning fossil fuels, nuclear energy, or renewable resources such as wind and solar. Electric generators are therefore behind the vast majority of our energy production. They provide the power for all of our devices and machines across the world.

INSPECTION COPY

**COPYRIGHT
PROTECTED**

