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Teacher's Introduction

OCR have published a list of the quantitative skills in Economics required for the new course. 15% of the overall marks awarded at AS and 20% of the marks at A Level will require 'at least Level 2 [GCSE] mathematical skills'. Each of the 11 skills tested could come up in both AS and A Level exams, making this resource relevant to both specifications. Some of the example to which the skills are applied are only relevant to A Level students; this is highlighted in the 'Specification Overview' section introducing each skill.

Economics students sometimes find the numerical skills required for success a challenge. This resource has been produced with the intention of providing them with the opportunity to review the specific topics and concepts mandated by the exam board that require numerical understanding. Where possible, data from real-world sources is used to expand contextual understanding. This will help with the data response questions found in the exams as well as aiding students to 'think like an economist' more generally.

Each section within the resource allows students to examine both theoretical notes and worked examples. Theory is discussed when needed but the focus is on quantitative methods.

Students have the opportunity to complete practice questions, some of which are in exam style, which will help develop the necessary numerical skills and consolidate understanding. These questions should build students' confidence in having the required ability to demonstrate their full potential in AS and A Level Economics, in both class and examination conditions.

This resource covers all of the topics mentioned in the quantitative skills annex of the OCR specification. Each skill is structured as follows:

- **Part A: Specification Overview** – this provides an overview of the term or concept specified by the exam board and the understanding required. This includes details of where skills are applied to A Level only material.
- **Part B: Theoretical Overview** – a brief summary of the key points associated with the numerical term/concept.
- **Part C: Example** – detailed numerical and written responses to exam-style questions.
- **Part D: Practice Activity** – each skill is concluded with practice activities that allow students to demonstrate their understanding of the relevant terms and concepts.

OPTIONAL EXTRA: There is the option of a separate workbook which combines all of the questions in the Part D practice activities into one stand-alone practice resource.

This is followed by:

- A **Quantitative Skills Assessment Activity** which provides students with the opportunity to complete an assessment which is presented in a format similar to that which they will encounter in their exams.
- **Suggested Answers to Practice Activities** which provides a mark scheme for the practice activities that appear in Skills 1 to 11.
- The **Mark Scheme for Quantitative Skills Targeted Test** which provides a mark scheme for exam-style assessment.
- And finally, a short **appendix** with some key economic indicators for the UK provided as reference.

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Student Introduction

Economics is the science of choice. In order to analyse and inform the choices of governments the subject has to be a quantitative discipline. At AS and A Level the Maths but the key is that maths is not used for the sake of it: there is always a purpose. Questions are an opportunity to apply your economic knowledge to real data.

Those taking A Level Maths should find most of the quantitative content straightforward. If stuck with a question then don't panic: all of the information you need is there. Think 'what can I do with these numbers?'

This resource will guide you through the quantitative skills required for the course. You will have covered a lot of it already at GCSE level – means, percentages, ratios and fractions. This resource is useful for you to work through the questions and examples to expose yourself to the context. By practising the techniques you will ensure some relatively easy marks and more time for the longer-answer questions. Good luck!



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SKILL 1: CALCULATE, USE AND UNDERSTAND

Part A: Specification Overview

The idea of ratio and proportion is important and relevant throughout the specification. It is a key feature when considering spending decisions (e.g. the savings ratio) and when considering the concentration ratio (concentration ratio at A Level only). Other ratios mentioned include the dependence ratio, which are covered in a labour market context at A Level only. The multiplier is covered in more depth at A Level.

Part B: Theoretical Overview

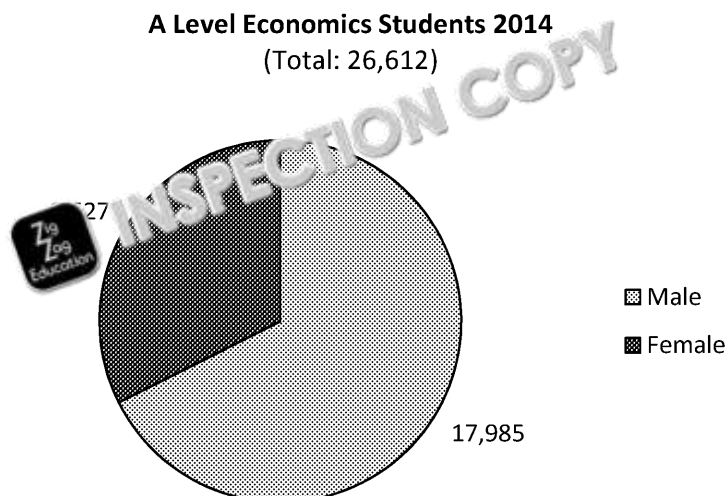
A ratio is a comparison between two quantities. Usually, these are expressed as 'X of Y'. A ratio of 6:8 boys to girls in a class tells us that there are 6 boys for every 8 girls. There is an example – 12 boys and 16 girls.

The ratio in the example above can be reduced from 6:8 to 3:4. It still tells us exactly the same thing – the quantities of boys and girls remain unchanged. We could reduce it even further. 1:2 indicates the same thing – but of course pupils can't be divided so it's best to stick with 3:4 when talking about people.

In Economics we usually talk about divisible quantities such as money so we can use a ratio. Additionally, a ratio in Economics is much more likely to be expressed as just one part. This is because the other option is often implicit. If we talk about the 'savings ratio' it is understood, and not stated explicitly. Hence, the savings ratio takes the form of just one part. The ratio has been reduced down, like we did with the pupils, to take a form very similar to a proportion. It allows us to think of the ratio more clearly as a *proportion*.

A typical savings ratio might be 0.15. In the traditional ratio format this would be expressed as 15:100. The second part is left out. This is because the ratio has been reduced so both sides sum to 100. The other half from this (if necessary). It is very easy to convert this form into a percentage. Indeed, ratios will often be expressed in percentage terms. For further discussion see **Skill 2 (Percentages)**.

Note that proportions (and percentages) of a whole may be shown visually as a pie chart. This is used to show changes over time. Below is an example – the proportion of each gender in 2014:



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The multiplier ratio

A specific ratio calculation that is required at AS Level is the *multiplier ratio*. The idea was developed in the 1930s and advocated by the British economist John Maynard Keynes.

The idea is relatively simple. An initial injection of capital into an economy will lead to an increase in income. This is because the money will stimulate further spending which in turn leads to further spending, and so on: '*the circular flow of income*'. Imagine the government commencing a project which costs £100m. The contractors on the project will save some of the money – this saving generates an additional income stream for cafes, pubs and hotels where the workers will spend further afield too (Internet shopping!). So although the initial project cost £100m, the total increase in national income, say, is £300m. In this case the multiplier would be 3.

Calculating the multiplier

We can calculate a numerical value for the multiplier – known as the multiplier ratio – when money is withdrawn from the circular flow of income.

To do this we need to consider the *propensity* (tendency) of agents to do certain things with the money received. Any additional income can be consumed (spent on goods and services), saved, or spent on goods from another economy. These are the marginal propensities to consume (MPC), to save (MPS) and to import (MPM) respectively.

The marginal propensities to tax, save and import are all *withdrawals* from the circular flow of income and are grouped together as the marginal propensity to withdraw (MPW):

$$\text{MPW} = \text{MPS} + \text{MPT} + \text{MPM}$$

Because we are considering *ratios* and *proportions* of total spending we can easily calculate the marginal propensity to consume (MPC) if we have a value for MPW. The two values will sum to 1:

$$\text{MPC} = (1 - \text{MPW})$$

The **multiplier ratio** is 1 divided by the marginal propensity to withdraw (MPW):

$$\text{Multiplier ratio} = \frac{1}{\text{MPW}} = \frac{1}{(1 - \text{MPC})}$$

The higher the value for MPC, the higher the multiplier. This makes intuitive sense because the higher the MPC, the more money there's in the circular flow model. Similarly, if more money is leaking out of the circular flow, the multiplier will be lower.



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Part C: Example

1. Dave spends £9 out of every £12 that he earns and saves the rest. What is his savings to other uses of his income)?

From the question we can see that the basic ratio is 3: 9. This can be reduced to each side. In this case, we can divide both sides by 3 to give 1: 3. Dave saves 1/4 of what he earns.

2. Convert the ratio above into fractions.

Divide each side of the ratio by the sum of both numbers (4 in this case). They will then equal 1.

$$\frac{1}{4} = 0.25$$

$$\frac{3}{4} = 0.75$$

Therefore the ratio is 0.25:0.75

From this we could just say that Dave's savings ratio is 0.25 because it is important to remember that $1 - 0.25 = 0.75$. This is equivalent to the spending ratio in this case as we are using all of our income for either saving or spending (in reality there would be other uses).

3. Convert Dave's spending ratio to a percentage.

Simply multiply the decimal value by 100:

$$0.75 \times 100 = 75\%$$

4. Imagine that Dave earns an annual salary of £25,000. How much of this would he spend?

Dave spends 75% of his salary.

75% of £25,000 is £18,750:

$$\left(\frac{25\,000}{100}\right) \times 75 = 18\,750$$

Note that in order to convert this into a monthly amount you must divide it by 12 (to get the amount per month). It's important to read the question carefully, in case the information is given in different forms. And always remember the unit: if you miss out the £ sign off your answer, it's wrong.

$$\frac{18\,750}{12} = £1,562.50 \text{ per month}$$

5. The government spends £1bn on a new tram system in various city centres. What is the multiplier ratio?

Here we have been given the value for marginal propensity to consume, MPC (0.5), which is divided by $(1 - MPC)$:

$$\text{Multiplier ratio} = \frac{1}{(1 - MPC)} = \frac{1}{(1 - 0.5)} = \frac{1}{0.5}$$

So we get a multiplier value of 2. This means that given our initial injection of £1bn, there will be a £2bn increase in national output.

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Part D: Practice Activity

- Spain has a savings ratio of 0.15. What is this in percentage terms?
- The table below shows some examples of savings ratios from three different

Country	Savings Ratio	
	2010	2011
France	0.2	
United Kingdom	0.1	
Switzerland	0.3	

Source: [http://www.oecd.org](#)

Assume the average person in each country earns £30,000 a year in 2010 and

- How much of their income would the average person in the UK have saved in 2010?
- How much more would the average worker from Switzerland save compared to the average worker from France in both 2010 and 2011 together? Show your working.

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SKILL 2: CALCULATE, USE AND UNDERSTAND PERCENTAGES AND

Part A: Specification Overview

Understanding percentages and percentage changes is necessary throughout the course. Growth in GDP figures, unemployment rates and so on will often be mentioned in the text and students should be comfortable interpreting them. Understanding percentage change calculations (such as elasticities, found later in this document). Note that although the specification specified the need to understand percentage *point* changes, we have included them in the text for percentages overall.

Part B: Theoretical Overview

The term 'percent' comes from Latin *per centum* meaning 'for each hundred'. We have already used it when talking about ratios because the idea is similar.

A percentage expresses the proportion of one value with respect to another. By converting to percentages it makes it much easier to compare values. We could say that 4 out of 20 people do not work in Town A and 5 out of 30 people are unemployed in Town B. Stated like this it is tricky to compare. It's much easier if we convert the numbers into percentage terms.

To convert, divide one side of the ratio by the other and then multiply it by 100.

$$\text{Town A: } \left(\frac{4}{20}\right) \times 100 = 20\%$$

$$\text{Town B: } \left(\frac{5}{30}\right) \times 100 = 16.7\%$$

Now it becomes clear that the unemployment rate is higher in Town A.

In Economics we are often concerned with how variables are affected by other factors. If the government increases its spending does the employment rate rise? If the pound depreciates does the price of exports as other countries find it cheaper to buy our goods?

To consider these sorts of things it's often useful to look at percentage *change* in a variable.

To work out the percentage change, use the following formula:

$$\text{Percentage change} = \frac{(\text{new value} - \text{old value})}{\text{old value}} \times 100$$

For example, a firm expands and increases its employment from 1,500 to 1,800. The percentage increase is calculated like this:

$$\text{Percentage increase} = \frac{(1800 - 1500)}{1500} \times 100 = 20\%$$

Note that an increase of 100% means that the initial value has doubled (and is now twice the original value).

You should be aware of percentages of percentages: If the central bank raises interest rates from 5% to 6% this is an increase of *one percentage point* but interest rates have **not** increased 100% (the percentage change above):

$$\% \text{ increase in interest rates} = \frac{(6\% - 5\%)}{5\%} \times 100 = 20\%$$

The rate has risen by one percentage point *but this means interest rates have increased by 20%.*

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Part C: Example

1. Suppose the GDP of Germany is £4.5 trillion. Agriculture contributes £0.135 trillion to this figure. What percentage of the total is this?

$$\frac{0.135}{4.5} \times 100 = 3\%$$

2. Germany's total GDP figure rose by 4% over the course of a year. What was the total GDP figure at the end of the year?

$$4.5 + \left(\left(\frac{4.0}{100} \right) \times 4.5 \right) = \text{£}4.68 \text{ trillion}$$

3. The following year, the GDP rose by a further 5%. What percentage change does this represent?

$$\% \text{ change} = \frac{(5 - 4)}{4} \times 100 = 25\%$$



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Part D: Practice Activity

1. Suppose that a firm has 890 workers, of which 340 have a degree. What percentage of workers have a degree? Give your answer to two decimal places.
2. In the UK, 1 in 7 16–24 year olds are considered unemployed. What is the percentage of 16–24 year olds who are unemployed? Give your answer to two decimal places.
3. The total number of unemployed 16–24-year-olds rises from 498,000 to 520,000. What is the percentage increase in the number of unemployed 16–24-year-olds? Show your working.
4. Below is a table showing unemployment rates in the UK and in Spain in 2008 and 2012.

Country	Unemployment rate %	
	2008	2012
UK	5.1	8.2
Spain	9	23.2

Source: Eurostat

- a) How many percentage points higher was unemployment in Spain in 2008 than in 2012?
- b) Unemployment rates in the UK decreased from 8.2% in 2008 to 6.9% in 2012. What is the percentage decrease in unemployment rates does this represent?

Exam tip: Make sure you include the percentage sign (%) in your answers and give your answers to two decimal places to ensure you get all the available marks.



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SKILL 3: UNDERSTAND AND USE THE TERMS MEAN AND MEDIAN

Part A: Specification Overview

An understanding of statistical measures such as mean and median are required and it is necessary to understand the different calculation methods and why mean and median are interpreted differently.

Part B: Theoretical Overview

The most common type of 'average' is the arithmetic mean, or just mean, of a set of values. It is found by dividing the total sum of all the values by the number of values in the series.

In Economics it is sometimes more appropriate to use the median rather than the mean. The median seeks to find the 'middle value' in the data set.

The two measures are relatively simple and you would have covered them in GCSE. So let's move on to some example calculations.

Part C: Example

Usually 'average' refers to the arithmetic mean, or just mean, of a set of values. It is found by dividing the total sum of all the values by the number of values in the series.

For example, consider the following series of numbers:

3 3 6 3 7 8 11 12

There are 10 values and the total value of these is $(3+3+6+3+7+8+11+12+12+12)$

The mean value, therefore, is: $\frac{74}{10} = 7.4$

In order to find the median value we use a different process. First we have to put the values in order (smallest to largest):

3 3 3 5 6 7 8 11

We then select the middle value. In a series of nine numbers the middle would be the fifth value (the middle value is the value between the two values either side of it).

In our example we have 10 values. The median value, therefore, lies *halfway* between the fifth and sixth number (indicated with the dashed line). Hence the median is 6.5. Getting a decimal value doesn't tempt us to round it up.

So from the same set of numbers we have calculated a mean value of 7.4 and a median value of 6.5.

Arriving at different values for the mean and median from the same data set is common. The difference between the two averages is often important in Economics. Let's illustrate this with an example.

Imagine you live in a small village with 100 people who all earn £10,000 a year. The mean and median wage are both £10,000.

Now imagine that a very wealthy businessman moves in with an annual income of £19,802. The mean income, however, rises to £11,000. The median income, however, remains £10,000. However, the addition of one person causes the mean to rise to £11,000. Which value is most representative of the population?

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Part D: Practice Activity

7 7 8 8 9 10 12 12 13 15 18

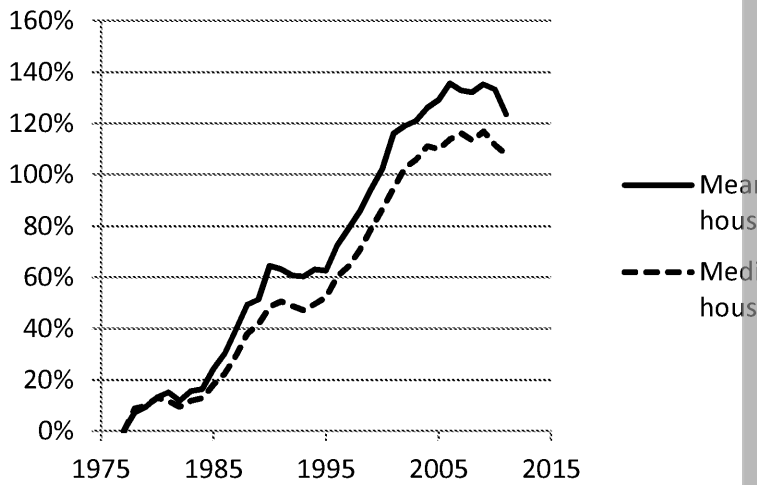
1. The numbers above are hourly wages for the employees in a small firm.
 - a) What is the mean wage? Show your working.
 - b) What is the median wage? Show how you arrive at your answer.

Suppose that the government is considering introducing a new law to limit the pay that can be received by the boss of a company. The boss of this company (whose wage is not in the list above) will have to receive the average wage.

2. Would he prefer the average used to be the mean or median wage? Please explain your answer in each case.
3. If the aim of the government was to reduce inequality which option would be better?



Mean vs Median UK household income



Source: ONS

4. Above is a chart showing the change in mean disposable income and median disposable income since 1977. What can you interpret from the graph?



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SKILL 4: UNDERSTAND AND USE RELEVANT QUANTILES

Part A: Specification Overview

Data may be presented in quantiles – likely quartile or quintile form – in questions and you need to interpret them accordingly.

Part B: Theoretical Overview

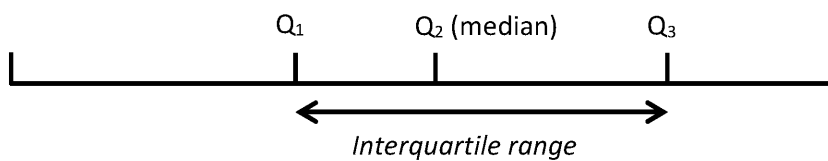
The use of quantiles is a common way of presenting data in Economics. They are groups which allows us to make comparisons between different sections of a population.

The most common type of quantile is a quartile. Think ‘quarter’ – a quartile splits data into four groups. This can link the information we have just learned in **Skill 3** about median values. Just as the median splits values we place the data in order from lowest to highest. The median value lies in the middle, separating the bottom two quartiles from the top two quartiles.

Similarly, the median of the lowest half of the dataset only will separate the bottom two quartiles. The median of the top half of the data separates the top two quartiles. Note that if the split falls exactly between two values we take the middle value between the two (their mean).

By splitting data into quartiles we can see how groups of data are distributed, and how different groups are. A common application in Economics is household income data: splitting income into four groups allows us to make comparisons between the top and the bottom earners.

The *interquartile range* is another idea that you need to understand. The interquartile range is the difference in data between Q_1 and Q_3 . This ignores any extreme values. For example, if there are those who earn a very small wage (perhaps living off savings) at the bottom and those with high salaries at the top. By just looking at the interquartile range we ignore these extreme values and get a more representative picture of the population.



While quartiles are probably the most common type of quantile you may also see data presented in percentiles. Percentiles split the data into 100 (e.g. ‘the top percentile’ refers to the top 1% of the population, meaning less than them). For each different type of quantile, the number of splits in the data represents the number of subgroups. So quartiles have 4 splits in the data, percentiles will have 100 splits.

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Part C: Example

15	5	17	11	12	11	15
1	16	18	16	3	10	3

Here is a random series of 20 values. To separate them into quartiles we first have to sort them into order.

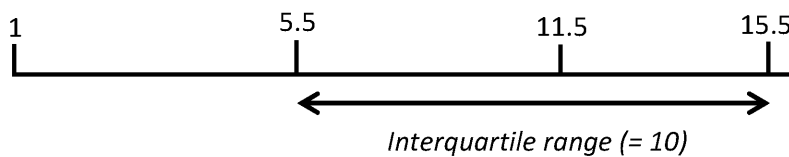
1	2	3	3	5	6	7
12	13	14	15	15	16	16

It's now straightforward to divide the group into quartiles. In this case, the data is split into a bottom half and top half, so the median is between 11 and 12 – i.e. 11.5.

If you draw a line down the middle of the 10 entries then you will split Q1 from Q2 on the top row and from Q4 on the bottom row.

1	2	3	3
6	7	10	11
12	13	14	15
16	16	17	17

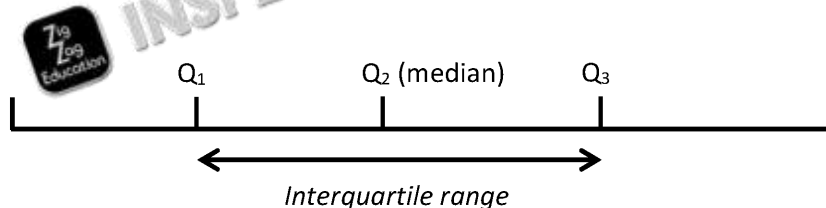
This is how we can present the data visually:



Part D: Practice Activity

40	22	41	37	37	35	20
47	23	37	24	45	25	39

- Sort the numbers above into four quartiles.
- What is the median value?
- What is the interquartile range?



- What can you interpret from this diagram of quartiles? Think about the distribution of the numbers that have been separated into quartiles.

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SKILL 5: CONSTRUCT AND INTERPRET A RANGE OF STANDARDS

Part A: Specification Overview

The need to construct and interpret graphical forms applies across the syllabus. The straight line graph. Most students will understand the theory from GCSE Maths but by discussing gradients, shifts and rotations. This knowledge will help students understand AS/AD schedules which will likely feature in their exams at both AS and A Level.

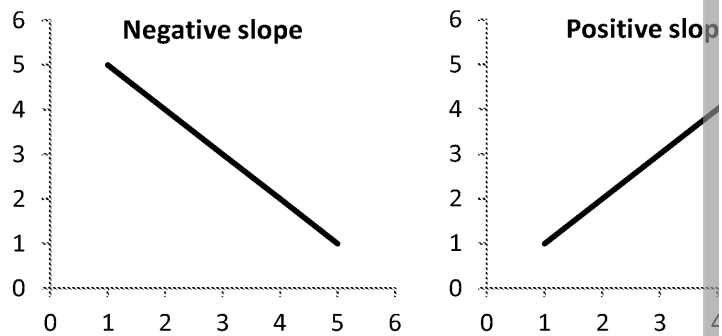
Part B: Theoretical Overview

Graphs are important in Economics because we often look at the relationship between two variables. They tell us quickly and clearly how one changes with the other. Most students will have learned this in GCSE Maths but it's worth reviewing them.

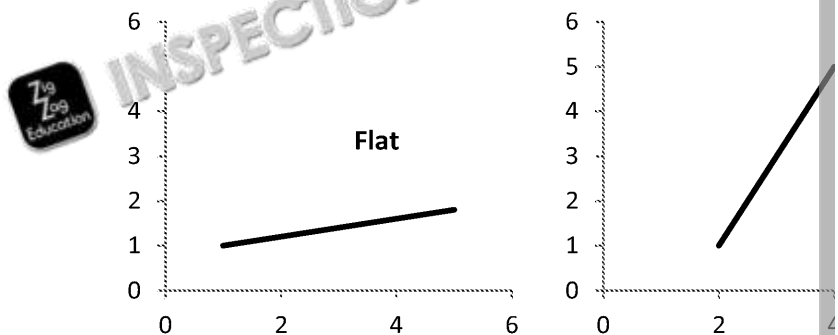
The most important aspect of a basic line graph is the gradient of the line: is it positive or negative?

$$\text{Gradient} = \frac{\text{Change in Y}}{\text{Change in X}}$$

An upward-sloping line has a positive gradient, e.g. a supply curve. As one variable increases, the other also increases. A downward-sloping line has a negative gradient, e.g. a demand curve. As one variable increases, the other decreases.



The magnitude of the gradient is also important and tells us how *much* one variable changes with the other. A flatter line – whether positive or negative – tells us that a small change in the Y (vertical axis) variable results in a proportionally larger change in the X (horizontal axis) variable. An upwardly steep line tells us that a proportionally higher change in the Y variable compared with the X variable.



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Part C: Example

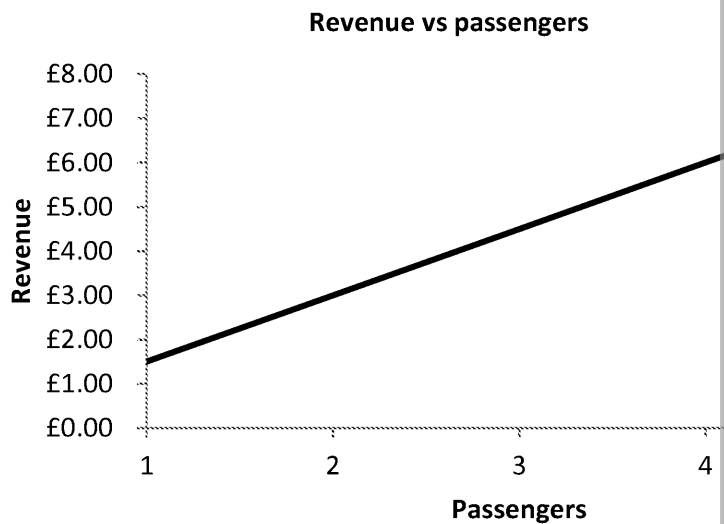
Let's start with a very basic example. Below is a chart showing the number of passengers and the amount of revenue it receives. In this case, tickets are £1.50 each.

Passengers	Revenue
1	£1.50
2	£3.00
3	£4.50
4	£6.00
5	£7.50

Graphically, we can present this information as follows:



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The line is upward sloping: there is a positive relationship between the number of passengers and the amount of revenue that the bus receives. Indeed, we can calculate the gradient of the line. Let's take two points on the line, for example, from £3 and two passengers to £6 and four passengers.

$$\text{Gradient} = \frac{\text{Change in Y}}{\text{Change in X}} = \frac{6 - 3}{4 - 2} = \frac{3}{2}$$

Hence, the gradient here is $\frac{3}{2}$ or 1.5. This means the relationship between revenue and the number of passengers is that for every additional passenger, the revenue increases by £1.50.



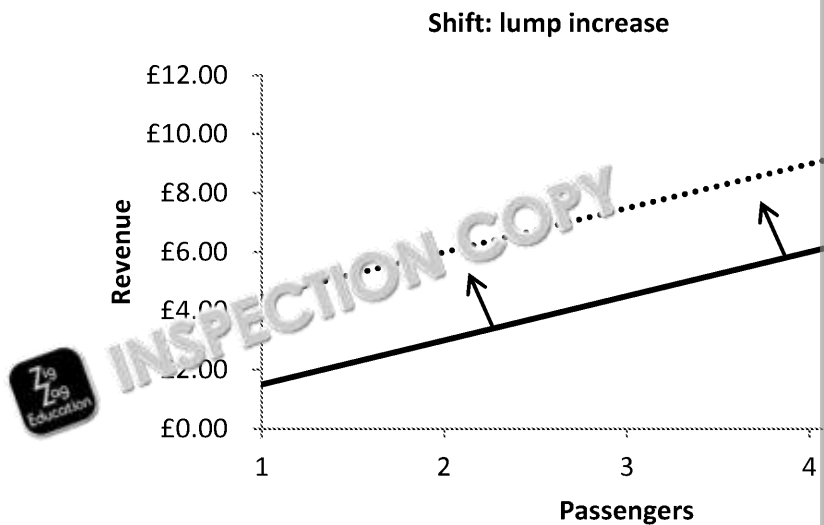
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The gradient tells us how the different values change as we move *along* the line. What happens when events, or 'shocks', alter the position of the line itself. The most common encounter is a **shift**. This is when the line moves up or down but *the gradient remains the same*. For example, here, the price of each bus ticket has increased by £3.

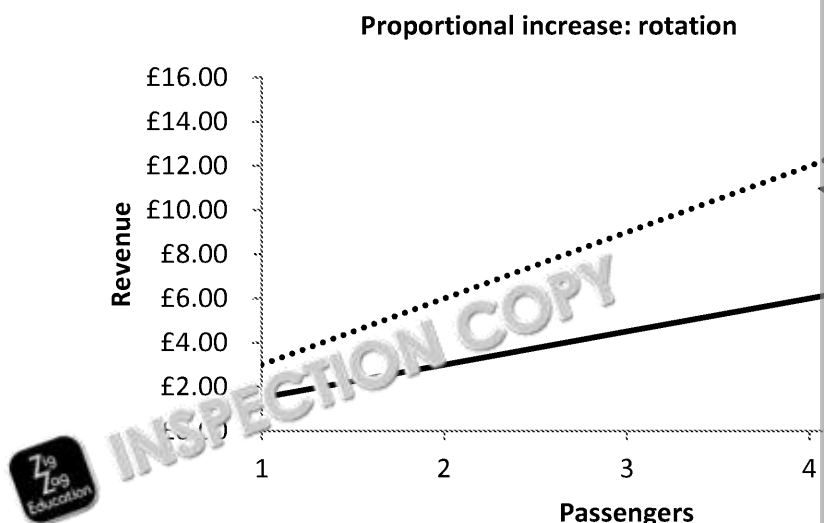


Let's look at the gradient again between 2 and 4 passengers:

$$\text{Gradient} = \frac{\text{Change in Y}}{\text{Change in X}} = \frac{9 - 6}{4 - 2} = \frac{3}{2}$$

So the line has moved – but the gradient is still 3/2.

Now let's consider a different change: a rotation. This occurs if each value changes by a different amount. For example, here, the price of a bus ticket doubles.



$$\text{Gradient} = \frac{\text{Change in Y}}{\text{Change in X}} = \frac{12 - 6}{4 - 2} = \frac{6}{2} = \frac{3}{1}$$

So now the gradient is 3/1, or 3. A steeper gradient has a larger value ($3 > 1.5$)

Often you will see combinations of the two changes: a shock might cause both a shift and a rotation.

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Part D: Practice Activity

1. Fill in the table below by **first** increasing revenue by 50%, **then** adding £2 to each 'Revenue₂' column.

Passengers	Revenue	1. 50% increase	2. Plus £2
1	10	15	17
2	20		
3	30		
4	40		
5	50		

2. Now use the new values to draw a new line showing Revenue₂ on the chart.



3. What is the gradient of the new line? Is this a shift or a rotation?

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SKILL 6: CALCULATE AND INTERPRET INDEX NUMBERS

Part A: Specification Overview

Index numbers are mainly used in the specification to examine changes in the price level. It is important to be able to understand and interpret numbers presented in index form at both AS and A2 level. It is also important to be able to calculate the rate of inflation using index numbers at AS. This includes understanding how weights are used when constructing the baskets of goods. In-depth technical details of indices (arithmetic vs geometric means, for example) is not required.

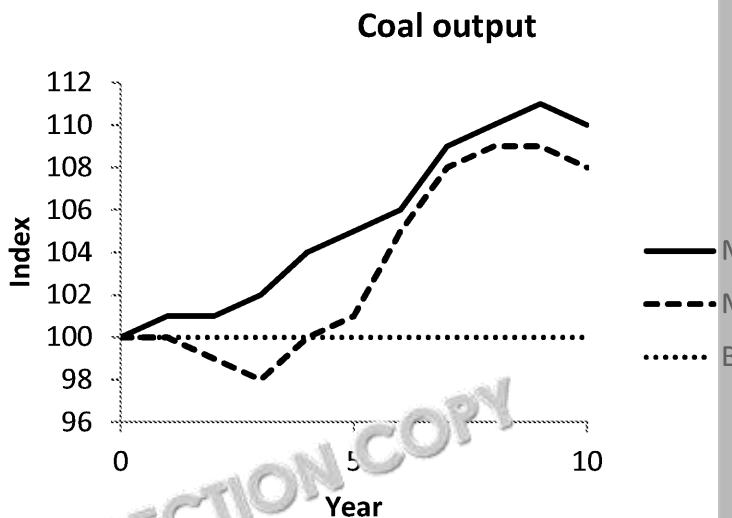
Part B: Theoretical Overview

In this section we will use a lot of the skills covered in **Skill 2** so refer back if you have any difficulties with percentages and percentage change.

Economists use index numbers to make comparisons over time. The key idea is that values can be compared back to an initial 'base'. The base is always shown with an index number of 100. Then following data points are adjusted to this value.

Imagine we have yearly data on the output of a coal mine. An index of 105 in year 4 means that 5% more coal was extracted in that year. Index numbers can be below 100 if the value has decreased compared to the base year then the index will be 98. Index numbers do not have a percentage sign when referring to output in this example, and don't use a percentage sign.

Before we talk about how to calculate index numbers it is useful to think about a simple example. We will see a line graph showing the output of two imaginary coal mines in index form:



First note how the output of each mine starts at 100 at year 0, the base year. This means that at year 0, each mine had the same output. Rather, it just shows 100% of their respective starting output. The subsequent changes for each output over time, relative to this starting point, are shown.

We can see that the output for Mine 1 generally increases over time. In year 4 it has increased by 6% relative to the base year. In year 3 it has decreased 2% relative to the base year.

The output for Mine 2, however, decreases relative to the base year between year 0 and year 3. The output for Mine 2 in year 3 tells us that output has decreased 2% compared to the base year.

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You may not have come across index numbers of less than 100. The most common in the A Level Economics is to show changes in price levels, and generally price level (inflation).

The difference between arithmetic and geometric means is **not** necessary to know for those of you who like understanding the maths. The arithmetic mean is covered in **Skill 3** (summing the total of the values then dividing by the number of values). The geometric mean is calculated by calculating the product of a set of n values (multiplying them together) and then dividing them by their n^{th} root. If we have just three values, for example, we multiply them together and then take the cube root of the product. Generally, the arithmetic mean is greater than the geometric mean.

Calculating index numbers may be a bit daunting at first but each step is relatively simple. A large number of calculations are needed so you might end up punching a lot of numbers into a calculator. There is a high chance of an error creeping in. Try to record each step as clearly as possible to avoid a mistake and to be able to retrace your steps.



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Part C: Example

Let's start by looking at an example of the type of index number you are most likely to encounter in the exam – the Consumer Price Index (CPI). The idea of the CPI is to track price changes for a selection, or 'basket', of goods and services which best represents the spending habits of the population as a whole. The items in the basket change from year to year to reflect the introduction of new products and the fading in popularity of others. For example, music streaming services were included for the first time, while yoghurt drinks have been included (and some were discarded).

There are over 700 goods and services included in the basket which includes items such as food, clothing, insurance and dry cleaning. Each item is assigned a weight which best represents its importance. For example, a house, which is assigned a much higher weight than light bulbs, has a weight that can be expressed as a percentage of total spending: the total sum of weights for all items equals 1 (or 100%).

Below is a table showing a simplified example of a price level index. Only four goods are included in the basket.

	Goods in the basket			Price
	Good	Price	Weight	
2010	Good A	£10	0.25	£5
	Good B	£5.50	0.15	
	Good C	£2	0.2	
	Good D	£4.50	0.4	
2011	Good A	£10.40	0.25	£5
	Good B	£5.50	0.15	
	Good C	£2.20	0.2	
	Good D	£5.10	0.4	
2012	Good A	£10.60	0.25	£6
	Good B	£5.70	0.15	
	Good C	£2.30	0.2	
	Good D	£6.00	0.4	
2013	Good A	£11.10	0.25	£6
	Good B	£6.00	0.15	
	Good C	£2.50	0.2	
	Good D	£6.00	0.4	

This is a large table with lots of values but it needn't be daunting. Each step is simple. To find the price value for each year, multiply the price of each good by its weighting and add the results. For the base year, we get:

$$\text{Price Value}_{2010} = (10.0 \times 0.25) + (5.5 \times 0.15) + (2.0 \times 0.2) + (4.5 \times 0.4)$$

This is an easy calculation but quite lengthy. Make sure you get all the brackets right. Use a calculator (it may be easier to write down the answer for each step and then add them up). If your answer is higher than the highest price, or lower than the lowest, then you need to retrace your steps.

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The price values for the other years are calculated in the same way:

$$\text{Price Value}_{2011} = (10.4 \times 0.25) + (5.5 \times 0.15) + (2.2 \times 0.2) + (5.1 \times 0.4)$$


$$\text{Price Value}_{2012} = (10.6 \times 0.25) + (5.7 \times 0.15) + (2.3 \times 0.2) + (6.0 \times 0.4)$$

$$\text{Price Value}_{2013} = (11.1 \times 0.25) + (6.0 \times 0.15) + (2.5 \times 0.2) + (6.0 \times 0.4)$$

We can now calculate our index values. Remember, the first year is always assigned a value of 100. We need to calculate it for 2010: just write in '100'.

The indices for other years are calculated like this:

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Hence:  Index for year X = $\left(\frac{\text{Price Value of Year X}}{\text{Price Value of Base Year}} \right) \times 100$

$$\text{Index}_{2011} = \frac{5.91}{5.53} \times 100 = 107$$

$$\text{Index}_{2012} = \frac{6.37}{5.53} \times 100 = 115$$

$$\text{Index}_{2013} = \frac{6.58}{5.53} \times 100 = 119$$

Note that each price value is divided by the price value for the base year rather than the preceding year.

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Part D: Practice Activity

1. Fill in the table below. Show as much of your working as possible.

Year	Goods in the basket			Price
	Good	Price	Weight	
2013	Good X	£5.50	0.5	£3
	Good Y	£0.50	0.1	
	Good Z	£1.20	0.4	
2014	Good X	£5.40	0.5	
	Good Y	£0.50	0.1	
	Good Z	£2.20	0.4	
2015	Good X	£5.60	0.5	
	Good Y	£0.80	0.1	
	Good Z	£5.50	0.4	

- Suppose that the Office for National Statistics (ONS) decides to adjust the weights in the basket. Why would they do this?
- In 2014, Good X had its weight increased to 0.7 and Good Z had its weight decreased to 0.3. Calculate the price level and index now be for that year, 2014? The price value for 2013 remains the same. Show your working.
- In question 3, the price of Good X decreases in 2014 – but the index goes up. Explain why.

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SKILL 7: CALCULATE COST, REVENUE AND PROFIT (A)

Part A: Specification Overview

Students should be able to perform a variety of cost and revenue calculations and variable and average costs at both AS and A Level.

Part B: Theoretical Overview

Many of the calculations required for Economics A Level can be grouped under this skill. It is not particularly complicated – in general it's basic addition, subtraction, multiplication and division. There are lots of formulas required, and subtle differences in terms, so it's worth devoting time to mastering the required knowledge. Mastering these skills will guarantee you some relatively easy marks.

The theory of the firm involves the accounting behind a firm's output decisions. It involves calculating total output (Q) and total revenue (TR). These can often be expressed in terms of average or marginal costs and prices.

The firm's revenue is the number of goods it sells multiplied by the price of each good. If a firm sells 10 goods at £5 each then it takes £50 in (total) revenue.

$$TR = Q \times P$$

Each good costs the firm money to produce. To calculate profit we subtract the total cost (TC) from the revenue.

$$\Pi = (Q \times P) - TC = TR - TC$$

The cost to produce items will change. Usually, the more goods a firm produces the lower the cost on average due to *economies of scale*. Firms tend to get more efficient as production increases. To look at the *average* cost of producing each unit of goods. The average cost is the total cost divided by the quantity of goods produced:

$$AC = \frac{TC}{Q}$$

Sometimes it is useful to separate the costs into *fixed* costs and *variable* costs. Fixed costs are costs that are incurred regardless of production. Variable costs change depending on the output. Fixed costs include rent and machinery (regardless of how much you produce these will stay the same). Variable costs include wages and raw materials (if you produce more you will have to pay your workers more and use more materials to create the goods).

Accordingly you can say that

$$\text{Total cost} = \text{Fixed costs} + \text{Variable costs}$$

You can calculate average fixed costs, AFC, and average variable costs, AVC by dividing total costs by output. Hence, total average costs, AC, is:

$$AC = AFC + AVC$$

Note that sometimes the line between fixed and variable costs can be blurred. Some goods are 'semi-variable goods'. That is, goods that have an element of both fixed and variable. A good example is a mobile phone bill. He or she probably pays a contract of a fixed amount each month plus an amount dependent on how many calls he or she makes. Semi-variable goods like

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Recall **Skill 3**: means and medians. We use the arithmetic mean to work out the average revenue by quantity:

$$AR = \frac{TR}{Q} = \frac{P \times Q}{Q} = P$$

Hence, the average revenue is the price, which makes intuitive sense – but note the assumptions such as constant price for all sales volumes, and the firm only producing one product.

Part C: Example



Output (units)	Total Cost (£)
1	5.50
2	10.00
3	14.00
4	16.00
5	17.00

1. The firm produces 3 units of output. What is the average cost?

Recall that:

$$AC = \frac{TC}{Q}$$

Hence:

$$AC = \frac{14}{3} = £4.67$$

2. If the firm increases its output to 5 units does the average cost change?

$$AC = \frac{17}{5} = £3.40$$

So the average cost of producing a unit falls considerably when more units are produced. This is because the firm benefits from economies of scale.

3. The average fixed cost of producing 5 units is £2.00. What is the average variable cost?



$$AC = AFC + AVC$$

So:

$$AVC = AC - AFC$$

$$AVC = £3.40 - £2.00 = £1.40$$

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Part D: Practice Activity

1. A firm records total revenue of £2,000 from selling 40 units. What price were

Output (units)	Total Cost (£)
1	5.50
2	10.00
3	14.00
4	16.00
5	17.00

2. a) Look at the table above. What is the average cost of 5 units of output?
b) When the firm is producing 5 units of output, the average fixed cost is £1. What is the average variable cost?
c) The firm sells 5 units for a total of £20. What is its total revenue? What is its profit?
d) What is the average revenue when 5 units are sold for £20?
3. a) A firm produces 100 units at an average cost of £10. Average fixed costs are £5. What are the average variable costs?
b) Following an increase in raw material prices, the average variable cost increases to £12. What is the new total average cost?

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SKILL 8: CALCULATE COST, REVENUE AND PROFIT

Part A: Specification Overview

Students should understand the general idea of 'the margin' at both AS and A Level separated out from the previous section on average costs and revenue to allow for the A Level part of the course requires more knowledge of the idea than at AS. For example, at A Level, marginal revenue is introduced, alongside a specific section on 'the concept of the margin'.

Part B: Theoretical Overview

The idea of 'the margin' was a big deal when it was first presented by economists and the so-called Marginal Revolution changed the entire discipline. Unfortunately, it made the subject much more mathematical as well. However, the basic concepts are not too difficult, and there is no complicated calculus needed at A Level.

The 'margin' refers to the idea of *one additional unit*. How does the total cost change for one more unit? What about total revenue?

Let's start with marginal cost. This is the increase in costs that results from the production of one more unit. Consider the formula below:

$$\text{Marginal cost} = \text{MC} = \frac{\text{Change in total cost}}{\text{Change in output}} = \frac{\Delta C}{\Delta Q}$$

If $\Delta Q = 1$ that indicates that one extra unit has been produced and we can look at the change in total cost. Note that marginal costs are not affected by changes in fixed costs. If it costs £10 to produce 6 units then the marginal cost of producing that extra unit is £2.

Marginal revenue uses the same idea but applies it to revenue. How does total revenue change for one more unit of output?

$$\text{Marginal revenue} = \text{MR} = \frac{\text{Change in total revenue}}{\text{Change in output sold}} = \frac{\Delta R}{\Delta Q}$$

Imagine a firm sells 50 units and total revenue is £100. The firm sells 51 units and total revenue is £102. The marginal revenue, therefore, is £2.

We can use these ideas to think about profit maximisation.

If a firm can make profit by producing another unit of output then it will carry on producing. If the firm is in a loss (due to fixed costs). If the production of an additional unit does not cover costs (including paying business owners for their entrepreneurial efforts) then the firm will still produce the unit. This is the idea of profit maximisation.

Therefore, the golden rule is that **firms maximise profits at $\text{MC} = \text{MR}$** . Firms will produce up to the point where the marginal cost of that unit does not exceed the marginal revenue. That is, the extra revenue from producing the good.

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Part C: Example

Units of Output	Total Cost
0	15
1	25
2	34
3	42
4	48
5	59

Let's look at this table of a firm's output and total cost. First, notice that there is a cost of output being produced even if this is the fixed cost which does not depend on output.

Imagine now we want to know the marginal cost of producing the third unit of output. This is the cost of producing just that one extra unit. In this case, the cost increases from 34 to 42.

For this to be the profit-maximising level of output, the marginal revenue from selling that unit must be equal to the marginal cost.

Part D: Practice Activity

1. Fill in the table below by calculating the marginal cost of producing each extra unit of output.

Units of output	Total Cost	Marginal Cost
0	11	
1	21	
2	30	
3	38	
4	44	
5	55	

2. a) Fill in the blanks in the table below. Show your working where possible.

Output	Total Revenue	MR	Total Cost	Profit
1	100		70	
2	200		140	
3	300		200	
4	400		300	
5	500		510	

b) How many units would the firm produce to maximise profits?

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SKILL 9: MAKE CALCULATIONS TO CONVERT FROM MO

Part A: Specification Overview

Students should understand the difference between real and nominal values from includes the need to calculate both real and nominal growth rates. At A level this between real and nominal wage levels, calculating real values using index number nominal growth figures over time. Students are not required to know how to disc appreciate that money is worth less in the future.

Part B: Theoretical Overview

Money in the future is worth less than it is now. A pound today is worth more than its power to earn interest. A dollar in 1990 is a dollar in 2010 would not buy the

To make meaningful comparisons between monetary values at different times we taking inflation into account.

One of the most important examples of this is real vs nominal GDP figures. Nominal adjusted at all: they are the straight value of all the goods and services produced the time of production. Real GDP, on the other hand, has been adjusted to take in measure such as CPI (see Skill 6). When economists discuss growth figures they allows them to make meaningful comparisons in growth over time.

To 'deflate' a value to real terms in order to make a better comparison with a past index of the previous period. The formula you need to use to convert nominal val

$$\frac{\text{Nominal Value}_{\text{Year X}}}{\text{CPI}_{\text{Year X}}} \times 100 = \text{Real Value}_{\text{Year X}}$$

This is best illustrated by working through an example.

Part C: Example

Let's suppose that the median hourly wage in 2011 was £9.50. This rises to a new 2012 but there was a 4% rise in price levels over the same year.

To account for this we use the price index – 104 in this case.

$$\text{Wage}_{2011} = \frac{9.50}{100} \times 100 = £9.50^1$$

$$\text{Real wage}_{2012} = \frac{£10.50}{104} \times 100 = £10.10$$

This is the same as writing: $\text{Median Real Wage}_{2012} = 10.50 \times \frac{100}{104} = £10.10$

¹ Note that 100 and 100 cancel out here but have been included for illustrative purposes.

Here $\frac{100}{104}$ is known as the 'wage deflator'. It is used to deflate – or remove the effect of – the value. You may also see references to GDP deflators which is exactly the same concept.

If you see 'at constant prices' written in a question then you know that the values are in real terms – something else – have already been adjusted and you are looking at real changes.

Finally, you may also have to convert from one currency to another. This is simple when you are looking into real terms. The formula is:

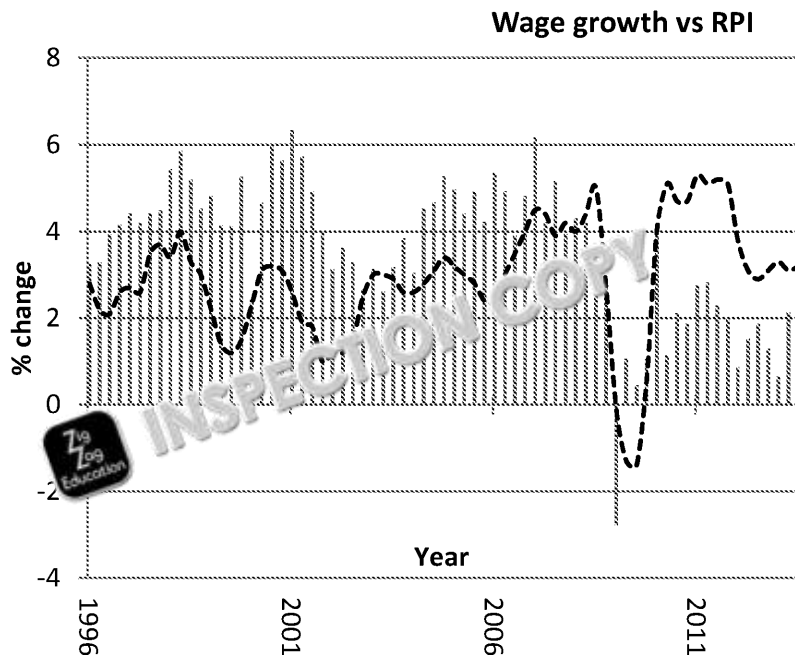
$$\text{Value}_{\text{Currency X}} = \frac{\text{Value}_{\text{Currency Y}}}{\text{Change Rate}_{\text{X to Y}}}$$

Imagine that the median wage in the US is \$8.60 and that £1 = \$1.60. To convert the wage into pounds, divide it by the pound to dollar exchange rate, 1.60:

$$\text{Wage}_{\text{£}} = \frac{8.60}{1.60} = \text{£}5.38$$

Part D: Practice Activity

1. a) The nominal GDP of Spain rises from \$1,010bn in 2013 to \$1,110bn in 2014. What is the percentage increase in this in nominal terms?
 b) The price index for 2014 with respect to 2013 is 103. What was the new price index in 2014?
 c) What was the percentage increase in *real* GDP?
2. The pound to dollar exchange rate is 1.57. What is \$1,110bn in pounds?
3. What can you interpret from the graph below?



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SKILL 10: MAKE CALCULATIONS OF ELASTICITY AND INTERPRET

Part A: Specification Overview

Calculating and interpreting elasticities is important at both AS and A Level. Students calculate price elasticity of demand, income elasticity of demand and cross price elasticity to interpret the numerical values. Students are also required to be able to calculate and interpret the values.

Part B: Theoretical Overview

Elasticity measures how responsive one variable is to a change in another variable. How do beer react if the price increases? How do wine breweries vary their supply? How do the price of wine falls? What if people earn more?

The calculations for elasticity are perhaps the most tricky you will encounter at A Level. It's a mix of calculations of percentage change again and simple division. The key is to understand the underlying intuition – and practise doing the sums.

The general equation for elasticity is:

$$\text{Elasticity} = \frac{\% \text{ change in quantity}}{\% \text{ change in price}}$$

That is, elasticity is the percentage change in the quantity divided by the percentage change in the price. The change in quantity *demanded* (by consumers) or *supplied* (by firms).

Let's start with the idea of **price elasticity of demand** to illustrate these ideas. If a small change in price brings about a disproportionately higher change in demand, demand is elastic. The opposite holds. A large change in price only affects a small change in demand, demand is inelastic.

Recall that percentage change is calculated like this:

$$\text{Percentage change} = \left[\frac{(\text{New value} - \text{Old value})}{\text{Old value}} \right] \times 100$$

Then the equation for the price elasticity of demand, PED, is:

$$\text{PED} = \frac{\Delta \text{Quantity demanded} \%}{\Delta \text{Price} \%}$$

The symbol Δ indicates 'change in' the value.

- A PED of more than 1 indicates elastic demand
- A PED of less than 1 indicates inelastic demand
- If the PED = exactly 1, then there is unitary elasticity. This means a change in price results in a proportionally identical change in quantity demanded.

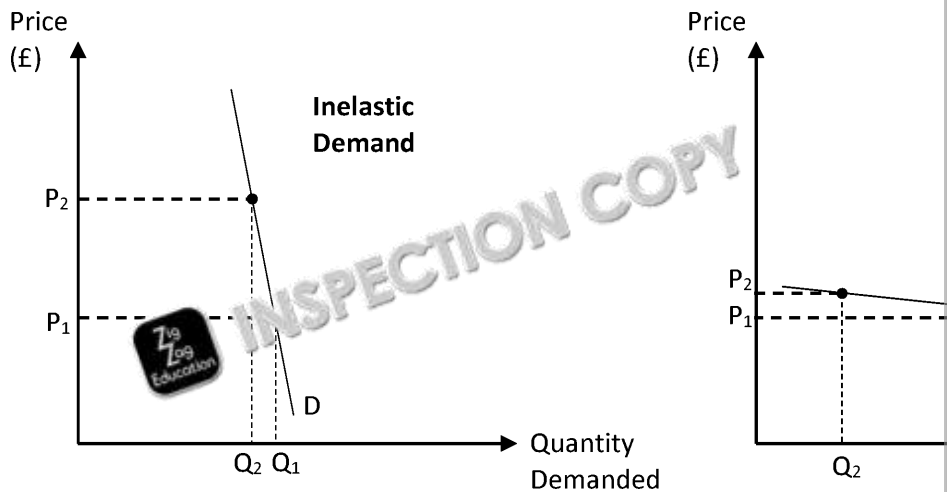
Note that we usually don't worry about the minus sign (-) in front of answers for PED. We are interested in the **absolute** value relative to 1.

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It can be useful to show these ideas graphically. Below are two diagrams showing Note how in the case of inelastic demand a large change in price (Y-axis) triggers a small change in the quantity demanded (X-axis). The opposite is true with elastic demand – if the price falls a small amount then the quantity demanded falls dramatically.



The idea of **income elasticity of demand** is very similar. Instead of looking at how price, though, it looks at the effect of changes in income. Suppose Tom earns £16,000 a year and buys 100 tickets a season. How many more games would he go to if he earned £20,000?

The formula for income elasticity of demand, YED, is below. Note that the abbreviation 'Y' ('I' is used to denote investment).

$$YED = \frac{\Delta \text{Quantity Demanded } \%}{\Delta \text{Income } \%}$$

- A YED value of greater than 1 indicates a luxury good.
- A YED of less than 1, but greater than zero, indicates a normal good.
- A YED value of less than 0 (negative) indicates an inferior good.

Finally, the other example of elasticity that you will come across is the **cross price elasticity of demand**. This measures how the demand for one good changes following a price change for another good.

$$XED = \frac{\Delta \text{Quantity demanded Good X } \%}{\Delta \text{Price Good Y } \%}$$

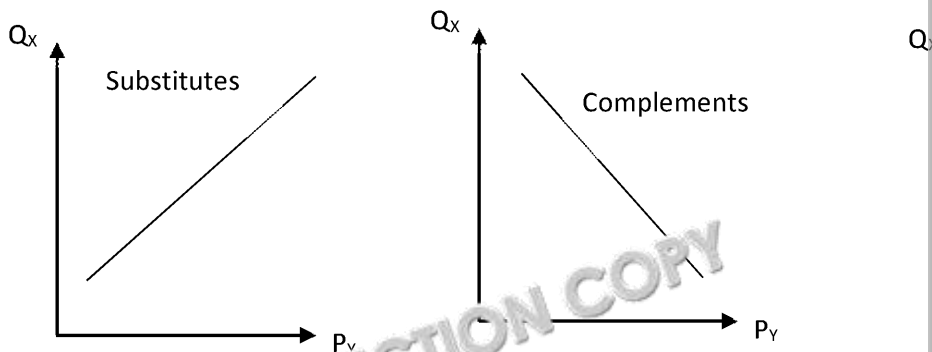
Goods can be substitutes, complements or completely independent.

- A positive XED value indicates that two goods are substitutes: as the price of Good Y increases, the demand for Good X increases, as people look to switch their consumption.
- A negative XED value indicates that two goods are complements: as the price of Good Y increases, the demand for Good X decreases.
- A XED value of 0 indicates that the two goods are independent. A price change in Good Y has no effect on the demand for Good X.

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It may help your understanding if you think of elasticities as gradients. A line with a negative gradient slopes downwards and a line with a positive gradient slopes upwards:



Exam answers for elasticities the examiners are looking for answers

Finally, let's look at the idea of price elasticity of *supply*. This is the idea that it's not just consumers whose preferences following a change in price – *producers* will alter their behaviour.

Hence price elasticity of supply can be defined as **how responsive quantity supplied is to a change in price**. The formula, therefore, is as follows:

$$PES = \frac{\Delta \text{Quantity supplied } \%}{\Delta \text{ Price } \%}$$

This formula is identical to the formula for price elasticity of demand (PED) but look at the sign.

The resulting PES values can indicate that supply is either elastic ($PES > 1$), inelastic ($PES < 1$) or perfectly elastic (perfectly inelastic) (PES = 0).

Note that PED values calculated tend to be negative (but we only look at the absolute value) whereas PES values which are positive. This is because as price increases, suppliers are more likely to supply more. Supply moves in the same direction as price.

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Part C: Example

In the previous example we mentioned Tom, who earns £16,000 and attends five games a season. He gets promoted at work and earns £4,000 more each year. He still has plenty of spare extra money by going to seven games a season.

1. What is Tom's YED for games?

$$\text{YED} = \frac{\Delta \text{ Quantity demanded } \%}{\Delta \text{ Price } \%}$$

Change in quantity demanded = 40%

Change in income = 25%

$$\text{YED} = \frac{40}{25} = 1.6$$

1.6 is positive and greater than 1 suggesting that football tickets are a luxury good.

Now let's think about price elasticity of demand. Demand for football tickets is inelastic: fans support their team no matter what. Over the last decade Premier League ticket prices have risen at rates above inflation but attendance figures have not decreased (think about how many fans don't change the team that they support). Recall the formula for PED is:

$$\text{PED} = \frac{\Delta \text{ Quantity Demanded } \%}{\Delta \text{ Price } \%}$$

We can now apply this formula in the next question.

2. Tom's friend Sarah is a hardy football fan and goes to 16 games a season, watching her favourite team, 'Melchester FC'. Ticket prices increase from £20 to £25 a game accordingly and she attends 15 games a season. What is her PED for football matches?

$$\Delta \text{ Quantity demanded } \% = \frac{(15 - 16)}{16} \times 100 = (-)6.25\%$$

$$\Delta \text{ Price } \% = \frac{(25 - 20)}{20} \times 100 = 25\%$$

Hence, Sarah's PED for football matches is:

$$\text{PED} = \frac{6.25\%}{25\%} = 0.25$$

Recall that PED values of less than 1 indicate **inelastic demand**. Sarah's demand for football matches is inelastic: her demand to see games will only decrease slightly following a large price increase.

Next, let's consider an example of a **cross price elasticity of demand** calculation. Recall the formula for XED is:

$$\text{XED} = \frac{\Delta \text{ Quantity demanded Good X } \%}{\Delta \text{ Price Good Y } \%}$$

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3. Sticking with our football theme let's think about the sales of replica football shirts. 'Melchester FC' they sell matching replica shirts, shorts and socks separately. The price of their shirts increases from £30 to £35. Sales of shorts decrease from 2,000 to 1,800. What is the price elasticity of demand?

$$\Delta \text{ Price shirts \%} = \frac{(35 - 30)}{30} \times 100 = 16.7\%$$

$$\Delta \text{ Quantity shorts demanded \%} = \frac{(1800 - 2000)}{2000} \times 100 = -10\%$$

Hence, the XED is:

$$\text{XED} = \frac{-10}{16.7} = -0.6$$



Remember that negative XED values show that goods are complements. Here, shorts and shirts are (strong) complements. As the price of shirts increases, the quantity demanded of shorts falls. This would be expected, as when the price of a good increases, the quantity demanded is expected to fall. As they are often bought alongside shorts the demand for shorts is affected.

Finally, let's look at a question about **price elasticity of supply**. Recall that the

$$\text{PES} = \frac{\Delta \text{ Quantity supplied \%}}{\Delta \text{ Price \%}}$$

4. Hank runs a hot dog van outside the football stadium. *Hank's Hot Dogs* is in a busy area with many other fast food outlets which serve football fans before and after matches. When the price of hot dogs increases by 10%, they can charge a bit more for their food following a shift in demand. According to Hank, the quantity supplied of hot dogs increases by 250. What is his price elasticity of supply?

First let's work out the percentage increase in Hank's supply of hot dogs.

$$\Delta \text{ Quantity hot dogs \%} = \frac{(250 - 200)}{200} \times 100 = 25\%$$

We can plug this into the PES formula along with the increase in price which is 10%.

$$\text{PES} = \frac{25}{10} = 2.5$$

The value of 2.5 indicates an *elastic* supply. Hank changes the amount supplied of hot dogs by 250 for every 10% increase in price.



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Part D: Practice Activity

1.
 - a) The amount by which railway operators can increase fares is linked to the price of a rail season ticket from Woking to London rose from £3,704 to £4,200. Suppose that the number of season ticket holders fell from 15,000 to 14,000. Calculate the price elasticity of demand, showing your working.
 - b) Is demand for commuter rail tickets elastic or inelastic? Can you think of any other factors that might affect demand?
 - c) Draw a diagram to show the PED for these season tickets graphically.
2. This question is about income elasticity of demand (YED). Jasper goes to the cinema 10 times a year. His income increases by 7.5% and he goes to the cinema 14 times a year. What is his income elasticity of demand? Show your working.
3.
 - a) Imagine that an oil shock causes petrol prices to rise by 20%. Electric car sales rose from 30,000 to 360,000. What is the cross price elasticity of demand (XED)? Show your working.
 - b) Draw a quick sketch to show the relationship between the sales of electric cars and petrol. Label the axes.



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SKILL 11: INTERPRET, APPLY AND ANALYSE INFORMATION IN GRAPHICAL AND NUMERICAL FORMS

Part A: Specification Overview

Students must possess the skills required to analyse and interpret data presented and will need to critically evaluate both qualitative and quantitative evidence when assessing it. The specification will present data in a variety of forms and ask students to both interpret the information and apply knowledge from elsewhere in the course.

Part B: Theoretical Overview

You don't need to memorise facts and figures to get marks in your Economics exams but it will be important to be up to date with the current trends facing the economy.

You will, however, need to know how to interpret data presented in a variety of forms. This may be any combination of tables, graphs and text extracts. Often questions will require you to develop your answer from multiple sources.

In order to be confident with handling and interpreting this sort of information we recommend that you spend time reading articles with an economic content – *The Financial Times* and *The Economist* are highly recommended. These are subscription-based but you can access a certain number of articles online for free each month.

Another idea is to look at the monthly Economic Reviews published by the Office for National Statistics. These are free and easy to find online. They contain all the latest economic figures and charts. You can even download the data yourself if you want to probe a little deeper into the figures and their own graphs.

Finally, note the difference between quantitative data and qualitative data. Quantitative data consists of values that can be measured and recorded. Most of the data you will come across in your exams is quantitative, e.g. the number of workers in the labour force, inflation figures and the money supply. Qualitative data, on the other hand, is subjective. It looks at *qualities* that can't easily be measured. Examples include the results of interviews or focus groups used to gauge consumer confidence – for which there is no numerical measure.

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Part C: Example

Let's look at an example. Below you will see information about cycling rates presented in a way similar to your exam: you will have an insert containing information which you have to analyse.

There is quite a lot of information on the page but step back and try to think what the key extracts make the same point?

Graph 1

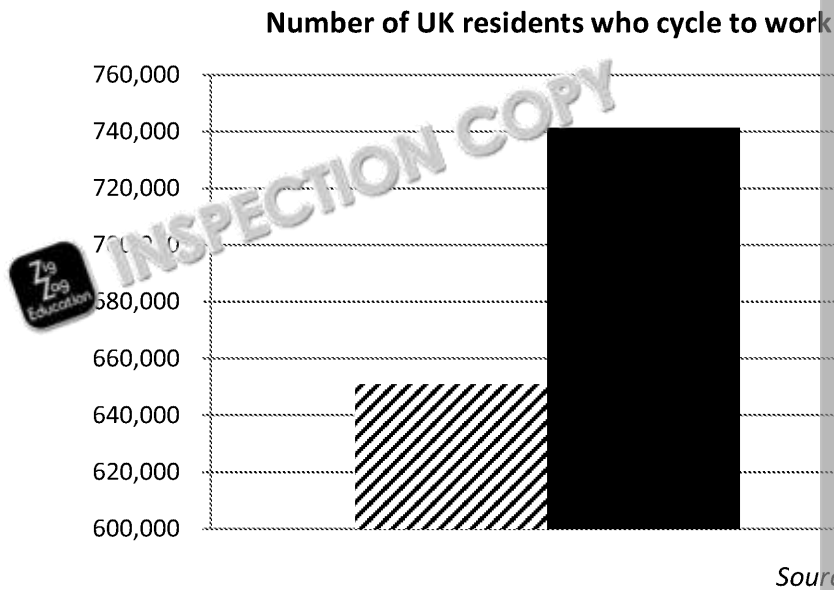


Table 1

Proportion of UK residents who cycle to work:		
2001 (%)	2011 (%)	% point change 2001–2011
2.8	2.8	0

Source: ONS

Extract 1

'The number of commuters cycling to work has risen to more than three quarters of a million in England and Wales [...] as workers choose the bicycle as an affordable and healthy way to get to work.'

The popularity of commuting by bike has increased by 20 per cent to more than 7 million in 2011, an increase of 110,000 on 2001.

<http://www.thetimes.co.uk/tto/p>

Extract 2

An increase in the proportion of the labour force that cycles to work could present a number of benefits to the whole. These include:

- *Reduced congestion*
- *Reduced CO₂ emissions*
- *Reduced noise and air pollution*
- *Health benefits*

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1. **With reference to Graph 1, Table 1 and Extract 1 discuss how commuter cycling in the UK between 2001 and 2011.**

At first glance, the graph appears to show a dramatic increase in cycling rate. However, the *number* of cyclists has gone up, the *proportion* of cyclists has not increased. This means that either the labour force cycled to work in 2001 and 2011. This means that either the higher proportion of the population are in employment – or a combination of

Extract 1 seems to have missed this point and is, therefore, a bit misleading. You should look at the percentage or proportional change rather than any change in the

2. **Extract 1 states that ‘workers choose the bicycle as an affordable [...] way to get to work. Rates of cycling increase by 3% as petrol prices rise by 12% following an oil shock. All else is equal. What is the cross price elasticity of demand? Are bicycles and cars substitutes or complements?’**

Information provided in a question may be just a prompt for you to apply the formula elsewhere in this guide. Here it is used as a straightforward application of the formula.

$$XED = \frac{\Delta \text{Quantity demanded Good X \%}}{\Delta \text{Price Good Y \%}} = \frac{3}{12} = 0.25$$

0.25 is positive, since bikes and cars are substitutes. Note that they are relative to each other. Workers will have to drive regardless of petrol prices because of the distance

3. **Why is the idea that all other things are equal, or ‘ceteris paribus’, important in economics?**

There may be lots of other factors causing changes in demand for both bicycles and cars. Prices for each may have changed. The government might have started a programme to encourage cycling. We don't know the time frame: it could be winter and fewer people cycle due to

4. **With reference to Extract 2, define the term ‘negative externality’ and discuss how government action could reduce the effect of market failure.**

This is another example of a question that prompts you to use your economic information presented to you.

A negative externality occurs when the decisions of producers or consumers affect a third party.

Extract 2 suggests that driving causes congestion and air pollution, both of which are negative externalities. Higher cycling rates would reduce these and help add

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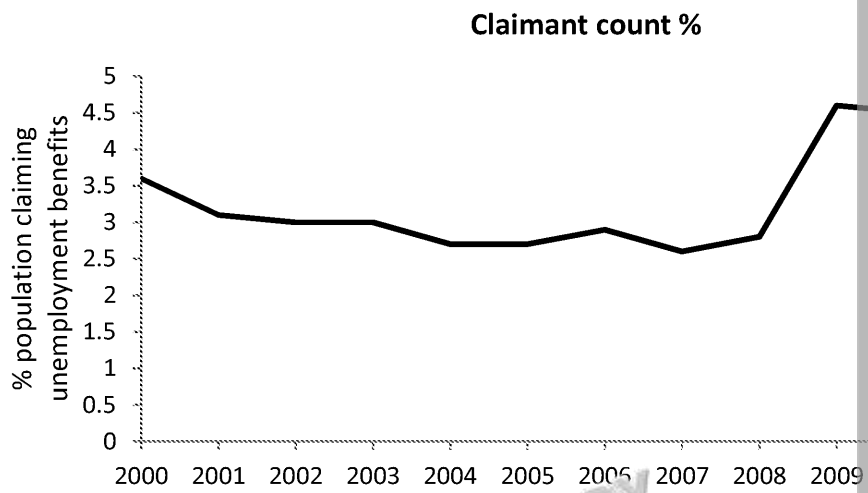
Part D: Practice Activity

Questions in this section will be based on the following information:

Graph 1



Graph 2



Extract 1

'In the six years since the global economic crisis, standard jobs were destroyed which continued to increase...'

Non-standard workers are worse off in terms of many aspects of job quality. They are also more likely to be on temporary contracts. In addition, those on temporary contracts have more job strain and have less job security. Earnings levels are also lower...'

<http://www.theguardian.com/business/2015/may/21/temporary-and-part-time-jobs-s>

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Questions:

1. Describe the main trends shown in Graph 1. Pay attention to the separate Y-
2. One measure of unemployment is the *claimant count* which considers what claiming Jobseeker's Allowance. The claimant count between 2000 and 2013 you interpret from this graph?
3. With reference to the second paragraph of Extract 1, explain how a shift to n have an impact on long-term growth, explaining your answer. Illustrate your PPF diagram.



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QUANTITATIVE SKILLS ASSESSMENT ACT

Guidance

The assessment that follows is presented in a similar format to the AS level Economics exam, but contains much of the A Level exam content too. It has been adapted so there is a greater emphasis on the numerical requirements of the course. The format used is not an exact replica of the AS exam, but only numerical content and no long written answers.

The questions in Section A are presented in multiple-choice format, each with four options. The format in which many of the numerical questions are presented in both AS and A Level.

Section B has slightly longer-answer questions, with a little bit more working required. It contains specific problems that students may have when performing calculations more clearly.

Section C presents information in a variety of forms, similar to the questions found in the AS exam. Students are required to interpret the information and apply their own economic knowledge to it.

We suggest that students complete the exam after studying the booklet and attempting the questions. The exam is worth 50 marks and we recommend that students have one hour to complete it, plus five minutes at the end to check the completed paper.

On completion, the assessment could be marked by the class teacher, peer-assessed, or self-assessed. Once the assessment has been marked students can look at their results and identify areas which may benefit from further review.

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Surname	
Other Names	



Supporting AS and A Level OCR

Economics

**Quantitative
Targeted Skill**



With this paper you must have:
A calculator

Time allowed

- 1 hour

Instructions

- Use black ink or black ballpoint pen.
- Fill in the boxes at the top of this paper.
- Answer **all** questions.
- You must answer the questions in the spaces provided. Answers written in the margins will not be marked.
- Do all rough work in this book. Cross through any work you do not want to be marked.

Information

- The marks for questions are shown in brackets.
- The maximum mark for this paper is 50 marks.

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SECTION A

Questions in this section are **multiple choice**.

Answer all questions. Only **one** answer per question is allowed.

For each answer **circle** the letter alongside the appropriate answer.

If you wish to change an answer then cross out the original answer with an X.

1. John has a savings ratio of 0.14 and earns £8 per hour. How much of his ho

- a) 57p
- b) £6.60
- c) £1.12
- d) £1.78

2. The number of unemployed people in Sandbourne rises from 34,120 to 35, is this?

- a) 4.
- b) 4.4
- c) 15.71%
- d) 7.03%

3. Interest rates rise from 4% to 5.5%. What *percentage change* in interest rat

- a) 37.5%
- b) 1.50%
- c) 27.27%
- d) 15.00%

4. What are the mean and median values for this set of numbers?

6	4	5	7	3
21	2	1	3	12

- a) Mean = 4.5, Median = 6
- b) Mean = 6.4, Median = 4
- c) Mean = 5.8, Median = 5
- d) Mean = 6.4, Median = 4.5

5. The price value of a basket of goods in 2010, the base year, is £5.30. In 201 and in 2012 it costs £5.85. What is the index for 2012?

- a) 104
- b) 110
- c) 111
- d) 10

6. When do firms maximise profits?

- a) When average costs equal average revenue.
- b) When marginal revenue equals the average variable costs.
- c) When marginal costs are slightly below marginal revenue.
- d) When marginal costs equal marginal revenue.

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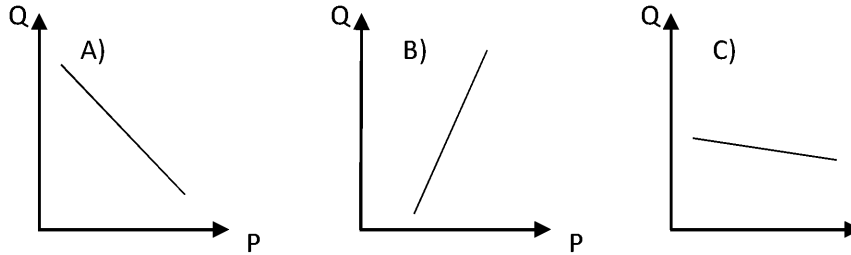
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7. Incomes in an economy have risen by 5% and annual sales of musical theatre tickets have risen by 14.7 million. What is the income elasticity of demand for musical theatre tickets (assuming that the rise in sales is due to the affected demand)?
- +1
 - 1
 - 5
 - 0.5
8. The price of 750 g of salt in a supermarket rises from £0.28 to £0.35. The supply of salt rises by 2%. What is the price elasticity of demand for salt?
- 0.08
 - 0.8
 - 12.5
 - 0.28
9. The exchange rate of pounds to dollars is 1.60. How many pounds is \$4,000 worth?
- £6,400
 - £2,500
 - £12,500
 - £5,600
10. Annual wages in an economy rose from £20,000 to £25,000 from 2010 to 2015. The price index for wages with respect to 2010 is 105. What is the percentage increase in wages in real terms?
- 19%
 - 25%
 - 20%
 - 5%
11. A supermarket has to increase the price of its orange juice following a production cost increase of 35%. However, the supermarket sees a 28% decrease in sales. What is the cross price elasticity of demand?
- 0.43
 - 1.25
 - 0.8
 - 1.25
12. Suppose 80 Polish zloty is equal to £14. What is the pound-to-zloty exchange rate?
- 1,143
 - 11.43
 - 17
 - 5.6
13. Stephanie pays 40% of her income in tax. She saves 10%, gives 5% to charity and spends the rest. Supposing she has an annual salary of £60,000, how much does she spend on consumption?
- £2,250
 - £27,000
 - £2,000
 - £4,250

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14. Look at the following diagrams. Which shows the most elastic demand?



15. Consider the following table. What is the average cost of producing 3 units



Output	Total Cost (£)
1	12
2	20
3	27
4	33

- a) £8.25
 - b) £9.00
 - c) £7.00
 - d) £27.00
16. Following an increase in prices across the whole sector, the couple running prices by 5%. They are willing to sell 60 more burritos a day at this price – what is their price elasticity of supply (PES)?
- a) 0.3
 - b) 1.6
 - c) 1.1
 - d) 3.1



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SECTION B

Family	Household Income (£)
1	16,000
2	19,000
3	23,000
4	24,000
5	25,000
6	33,000
7	35,000
8	47,000
9	55,000
10	78,000



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1. The table above shows the household income for 10 families.
- a) Family 1 has a savings ratio of 0.09 and Family 2 has a savings ratio of 0.2. Family 1's annual savings as a percentage of Family 2's annual savings.

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- b) What is the median household income?

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- c) The mean household income is £35,500. Suppose that this figure rises by 10%. What is the new value?

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- d) If the value rises by 10 percentage points higher, what would the new value be?

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2. a) Fill in the table below:

Year	Goods			Price
	Good	Price	Weight	
2010	Good A	£1.00	0.25	£2
	Good B	£2.00	0.15	
	Good C	£3.00	0.2	
	Good D	£4.00	0.4	
2011	Good A	£1.10	0.25	
	Good B	£2.10	0.15	
	Good C	£3.20	0.2	
	Good D	£4.50	0.4	
2012	Good A	£1.10	0.25	
	Good B	£2.05	0.15	
	Good C	£3.25	0.2	
	Good D	£4.45	0.4	
2013	Good A	£1.10	0.25	
	Good B	£2.00	0.15	
	Good C	£3.40	0.2	
	Good D	£4.40	0.4	

b) Which year was the most expensive to live in?

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3. a) Show that average revenue is equal to price.

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b) Consider the following table showing a firm's output and the associated costs. How many units would the firm produce to maximise revenue? Fill in the MC column.

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Total Output	Total Revenue	MR	Total Cost
1	8	8	6
2	16	8	13
3	24	8	20
4	32	8	28
5	40	8	42

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4. Historically, Japan has struggled with very low inflation – and sometimes even deflation.

a) Imagine a Japanese firm sees its total revenue rise from 350 million yen to 400 million yen in 2015. What percentage increase is this in nominal terms?

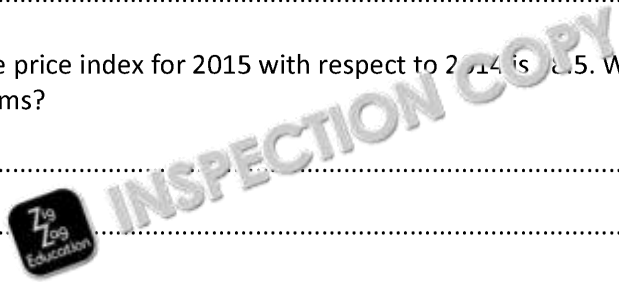
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b) The price index for 2015 with respect to 2014 is 105. What was the new price index in 2015 in real terms?

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c) What was the percentage increase in real revenue?

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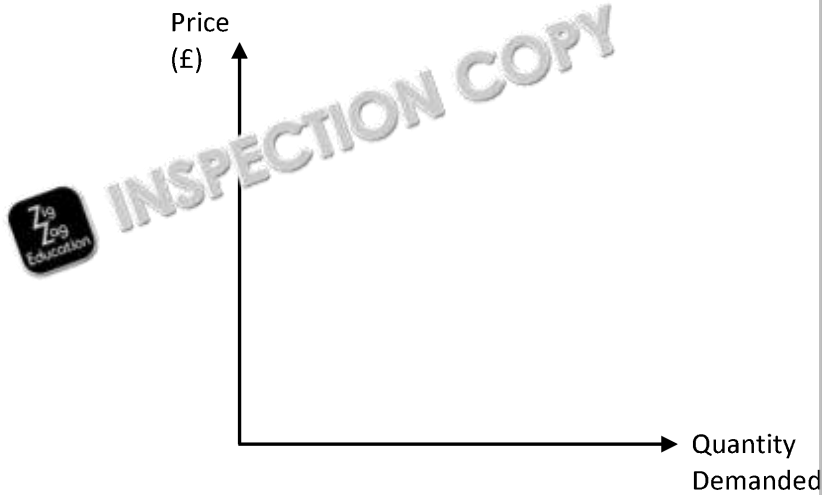
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5. a) A fish and chip shop has to increase the price of its chips after blight affected a cone of chips rises from £1.20 to £1.40. The shop sees sales fall by 12%. What is the price elasticity of demand?

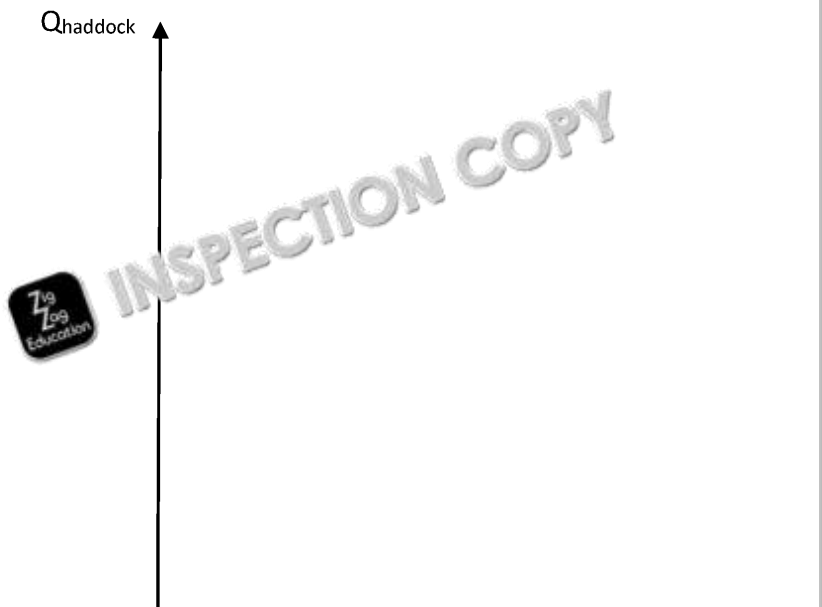
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- b) Sketch the demand for chips with respect to price on the graph below:



The same shop sells various types of fish. Suppose that fishermen are catching more fish due to overfishing in the 1980s. This pushes wholesale prices down and the fish and chip shop can buy cod 15% more cheaply. However, it sees demand for battered haddock (which does not use cod) increase by 10%.

- c) What is the cross price elasticity of demand for haddock with respect to cod prices between cod prices and demand for haddock on the chart below.



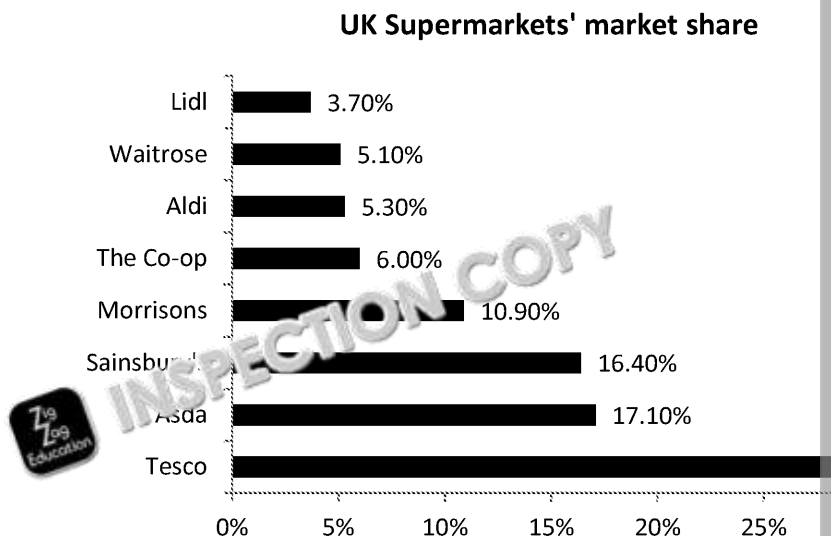
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SECTION C

This section is based on the following information:

Graph 1

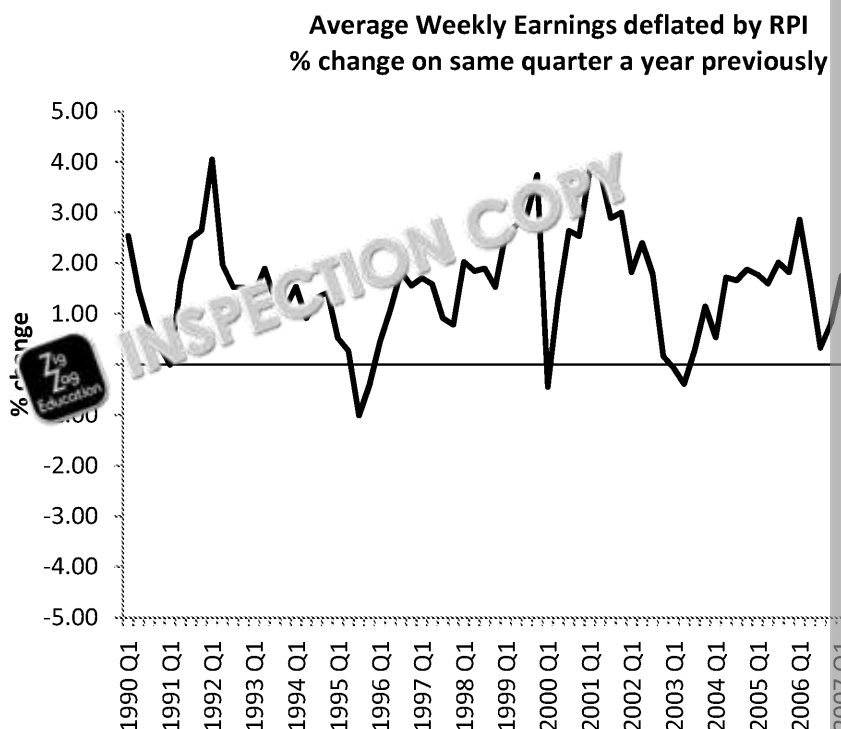


Extract 1

Despite challenging economic conditions the two main discount supermarkets in the UK have seen their market share increase this year. Aldi experienced growth of over 30% which resulted in its market share rising to 5.3% in the UK to date. Lidl also expanded successfully and now has a market share of 3.7%.

Premium supermarkets also managed to expand with Waitrose slightly increasing its market share to 5.1%. The main losers were the 'big four' of Tesco, Asda, Sainsbury's and Morrisons which all saw their market share fall.

Graph 2



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1. Identify key features of the data in Graph 2.

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2. Extract 1 suggests that discount supermarkets have increased their market share. Discuss why this might be the case.

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3. Calculate the Three-firm Concentration Ratio (the proportion of the market held by the three largest firms) for supermarkets in the UK.

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SUGGESTED ANSWERS TO PRACTICE ACT

Skill 1: Ratios

- 15%
1 mark. Answer must include the % sign.
- a) $0.14 \times 30,000 = \text{£}4,200$
2 marks. Deduct **1 mark** if £ sign not included.
b) Switzerland: $(0.39 \times 30\,000) + (0.34 \times 30\,000) = \text{£}21,900$
France: $(0.2 \times 30\,000) + (0.21 \times 30\,000) = \text{£}12,300$
 $21,900 - 12,300 = \text{£}9,600$
3 marks. **1 mark** for correct answer, **1 mark** for appropriate method and

Skill 2: Percentages and percentage changes

- $550/890 \times 100 = 61.80\%$
2 marks. **1 mark** for the answer and **1 mark** for two decimal places and % sign
- $1/7 \times 100 = 14.29\%$
2 marks. **1 mark** for the answer and **1 mark** for two decimal places and % sign
- $[(520\,000 - 498\,000) / 498\,000] \times 100 = 4.42\%$
3 marks. **1 mark** for correct approach in working, **1 mark** for answer, **1 mark** for sign.
- a) $9 - 5.1 = 3.9$
1 mark for correct answer. Note that adding % sign is **incorrect**.
b) $(6.9 - 8.2) / 8.2 \times 100 = (-) 15.85\%$
2 marks. **1 mark** for correct answer, **1 mark** for % and two decimal places

Skill 3: Means and medians

- a) Mean = **12** ($144/12$)
2 marks. **1 mark** for correct answer, **1 mark** for working.
b) Median = **11** (The numbers are already ordered and the median lies between 10 and 12)
2 marks. **1 mark** for the correct answer, **1 mark** for an indication the student has considered the value.
- Mean = $\text{£}36$, median = $\text{£}33$. Hence, the boss would prefer the mean as it's higher.
3 marks. **2 marks** for each correct answer and **1 mark** for the correct interpretation.
- Tying pay to **median** income would be better for reducing inequality. The median is lower than the mean, so it would be paid by higher earners. If a boss was concerned about raising his own pay then he would raise the wages of all workers.
2 marks. **1 mark** for the correct answer (median). **1 mark** for interpreting the effect.
- Mean income has risen at a consistently higher rate than the median income. The salaries of the highest earners have risen at a higher rate and thus the mean income has risen at a higher rate.
3 marks. **1 mark** for pointing out that mean income has risen at a higher rate than the median. Further marks for interpreting the effect this has on inequality, etc.

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Skill 4: Quantiles

1.

Q1	12	17	20	21	22
Q2	23	24	25	32	35
Q3	36	37	37	37	39
Q4	40	41	45	47	48

3 marks. Give **3 marks** if all numbers are correct.

2. The median value is **35.5**

1 mark. Incorrect if the student has rounded this to 35

3. The interquartile range is 22.5 to 39.5 which can also be stated as 39.5-22.5

2 marks for the correct answer. Award **1 mark** if the student is 0.5 either side

4. We are asking the student to talk about the distribution of values: there is more than in the middle. The median value is not in the middle, suggesting that high value

student may suggest an example of data that may be distributed like this (e.g. 1, 2, 3, 4, 5, 6, 7, 8, 9, 10)

3 marks. **1 mark** for just pointing out facts about the relevant positions of Q1 and Q3. Award **2 marks** for appropriately for sensible points and observations about the distribution of values

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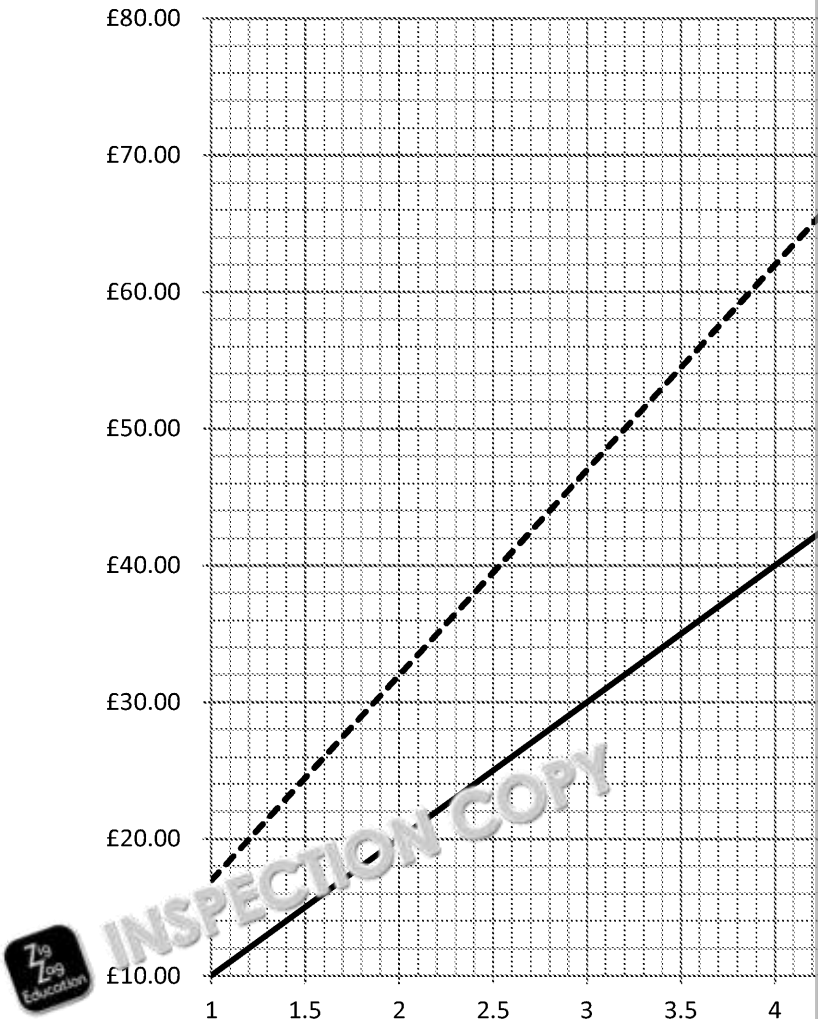


Skill 5: Standard graphical forms

1. The table should be filled in as below.
Award **2 marks**, **1 mark** for each correct column.

Passengers	Revenue	1. 50% increase	2. Plus £2
1	10	15	17
2	20	30	32
3	30	45	47
4	40	60	62
5	50	75	77

2. The graph should be drawn as follows.
Award **2 marks**, **1 mark** for the right shape and **1 mark** if it passes through the points.



3. The gradient is $30/2 = 15$. It is a shift **and** a rotation.
Award **2 marks**, **1 mark** for the gradient and **1 mark** for a correct interpretation.

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Skill 6: Index numbers

1. Correct answers as shown below.

Year	Goods in the basket			Price Value
	Good	Price	Weight	
2013	Good X	£5.50	0.5	£3.28
	Good Y	£0.50	0.1	
	Good Z	£1.20	0.4	
2014	Good X	£5.40	0.5	£3.63
	Good Y	£0.80	0.1	
	Good Z	£2.20	0.4	
2015	Good X	£5.60	0.5	£5.08
	Good Y	£0.80	0.1	
	Good Z	£5.50	0.4	

Award **6 marks** for all correct answers and working. Deduct **1 mark** for each incorrect. Award **2 marks** if the attempted working is appropriate and the unit is correct (the % sign has been used in the index column).

2. The ONS would adjust the weights if they feel that consumer spending habits have changed. If they feel that consumers are purchasing more of Good X and less of Good Y. Thus, the weights for Good X would increase and the weights for Good Y would decrease. Award **2 marks**. **1 mark** for the idea that weights may change to reflect changes in consumer spending habits. **1 mark** for the student has indicated that this specific change means that consumers are purchasing fewer of Good Y.
3. Price value = £4.27; Index = 130
Award **3 marks**. **1 mark** for each correct answer. **1 mark** for the working.
4. The idea that although the higher-priced item has decreased in price, it has become more important relative to the other goods. Thus, there is inflation.
Award **2 marks**. **1 mark** for the idea that Good X has become more important relative to the other goods. **1 mark** for correct interpretation of the effect.

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Skill 7: Cost, revenue and profit (average, totals)

1. $TR = Q \times P$ so $P = TR / Q = 2000 / 40 = \text{£}50$
Award **2 marks**. **1 mark** for rearranging the formula, **1 mark** for correct answer.
2. a) $17/5 = \text{£}3.40$
Award **1 mark** for the correct answer.
- b) $\text{£}3.40 - \text{£}1.40 = \text{£}2$
Award **1 mark** for the correct answer.
- c) $TR = \text{£}20$ (slight trick question – the answer is given) Profit = $TR - TC = 20 - 0 = \text{£}20$
Award **2 marks**. **1 mark** for each correct answer.
- d) $AR = P = 20/5 = \text{£}4$
Award **1 mark** for the correct answer.
3. a) $AVC = 10/1.25 = \text{£}8$
Award **1 mark** for the correct answer.
- b) AVC increase by 25% – $\text{£}8$ to $\text{£}10$. AFC remains constant. So new AC (total) = $\text{£}10 + \text{£}1 = \text{£}11$
Award **2 marks**. **1 mark** for working, **1 mark** for correct answer.

Skill 8: Cost, revenue and profit (marginal)

1.

Units of output	Total Cost	Marginal Cost
0	11	11
1	21	10
2	30	9
3	38	8
4	44	6
5	55	11

Award **1 mark** for filling in all six values correctly.

2. a)

Total Output	Total Revenue	Marginal Revenue	Total Cost	Marginal Cost
1	100	100	70	100
2	200	100	140	100
3	300	100	200	100
4	400	100	300	100
5	500	100	510	100

Award **4 marks**. **1 mark** for each column and **1 mark** if working is correct.

- b) Profit is maximised when $MR = MC$. In this case that is producing 4 units.
Award **2 marks**. **1 mark** for the profit maximisation rule, **1 mark** for the correct answer.

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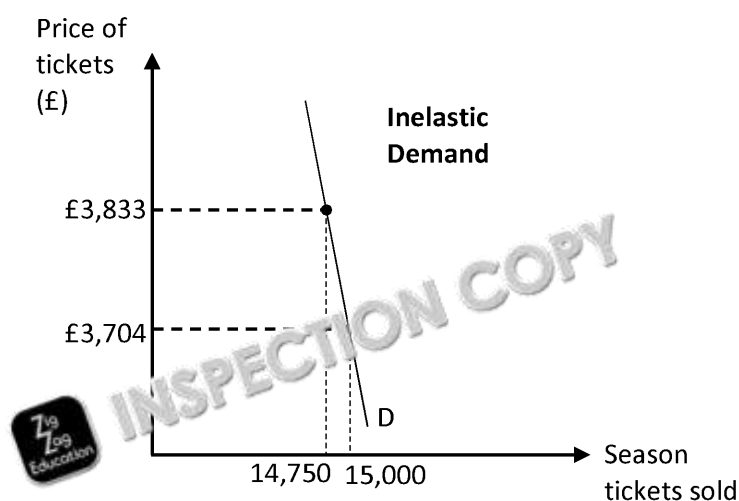


Skill 9: Converting money to real terms

1. a) $(((1110 - 1010) / 1010) \times 100) = 9.9\%$
Award **2 marks**. **1 mark** for correct answer, **1 mark** for suitable working
 - b) $[(1110 / 103) \times 100] = \1077.7
Award **2 marks**. **1 mark** for correct answer and **1 mark** for suitable working
 - c) $(((1077.7 - 1010) / 1010) \times 100) = 6.7\%$
Award **2 marks**. **1 mark** for correct answer, **1 mark** for suitable working
2. $(1110 / 1.57) = \text{£}707\text{bn}$
Award **2 marks**. **1 mark** for correct answer and **1 mark** for suitable working
 3. This question is deliberately vague and is designed to give students practice
Award **4 marks** for suitable answers. Points include:
 - In general wages have grown at a higher rate than inflation.
 - Wages have fallen since 2008 financial crisis and subsequent recession.
 - Real wages are not rising as fast as inflation.
 - Links to purchasing power (now decreasing – people can afford fewer goods)

Skill 10: Elasticity

1. a) $PED = \text{change in } Q\% / \text{change in } P\% = [(14\,750 - 15\,000) / 15\,000] / [(3833 - 3704) / 3704]$
 $= (-1.6 / 3.48) = \text{(-) } 0.46$
Award **3 marks**. **1 mark** for correct PED formula, **1 mark** for good working
- b) **Inelastic** (less than 1). This is because commuters may have no other way to get to work so they buy train tickets despite price rises.
Award **2 marks**. **1 mark** for the correct answer (inelastic) and **1 mark** for explanation
- c) We are looking for something like this:



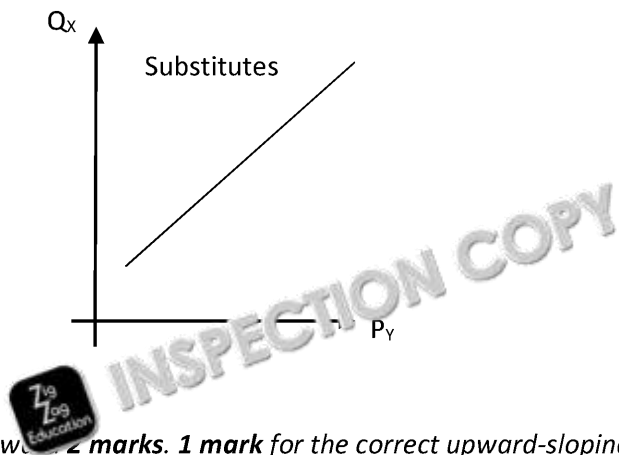
Award **3 marks**. **1 mark** for the steep slope showing inelastic demand, **1 mark** for adding the values on the axes and connecting them to the curve

2. $YED = \text{change in } Q\% / \text{change in income } \% = [(14 - 12) / 12] / 7.5] = 2.2$
Award **3 marks**. **1 mark** for the correct answer, **1 mark** for correct formula and **1 mark** for working

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3. a) $XED = \text{change in } Q_x \% / \text{change in } P_y \% = [(360\,000 - 220\,000 / 220\,000) \times \dots]$
Award **3 marks**. **1 mark** for the correct answer, **1 mark** for correct formula
- b) We are looking for a rough sketch showing the layout below:



Award **2 marks**. **1 mark** for the correct upward-sloping line (as the price for electric cars also increases), **1 mark** for labelling the axes.

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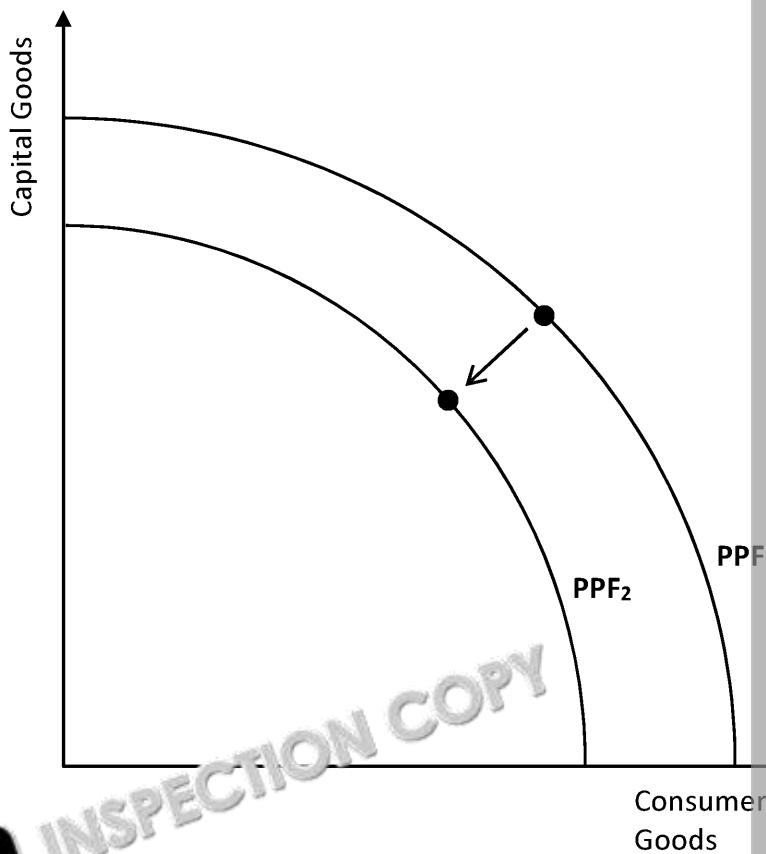
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Skill 11: Information in written, graphical and numerical forms

1. Total **4 marks**. There is a lot going on in this graph. Award **1 mark** for correct employment has decreased since 2008 and **1 mark** for interpreting that part- Award a further mark for discussing some numbers from the graph – check the axes correctly. Award a further mark for any other correct observation, e.g. the mentioning the 2008 financial crisis, etc.
2. Total **3 marks**. **1 mark** for pointing out that the claimant count has risen since unemployment is higher, **1 mark** for correctly using an example figure from the other interpretation, e.g. the claimant count may be higher if fewer workers, that unemployment rose in 2008 and has then remained steady, not yet decreased.
3. Total **5 marks**. The key line here is ‘They tend to receive less training’. With less productive – they won’t develop the skills needed to be as efficient as possible shift outward as far as it could. Award **2 marks** for this observation.

Award a further **3 marks** for drawing a suitable PPF diagram – showing a shift from PPF₁ to PPF₂ in the direction of less training. We are looking for something like this:



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MARK SCHEME FOR QUANTITATIVE SKILLS TEST

Section A: Multiple-choice Questions (15 marks)

- | | | |
|------|------|-------|
| 1. C | 5. B | 9. B |
| 2. A | 6. D | 10. A |
| 3. A | 7. A | 11. C |
| 4. D | 8. A | 12. D |

Detailed answers:

1. John has a savings ratio of 0.14 and earns £8 per hour. How much of his hourly earnings does he save?

$$0.14 \times 8 = \text{£}1.12$$

2. The number of unemployed people in Sandbourne rises from 34,120 to 35,690. What is the percentage increase in unemployment?

$$\frac{(35\,690 - 34\,120)}{34\,120} \times 100 = 4.601\%$$

3. Interest rates rise from 4% to 5.5%. What percentage change in interest rates does this represent?

$$\left(\frac{5.5 - 4}{4} \right) \times 100 = 37.5\%$$

4. What are the mean and median values for this set of numbers?

Mean: Sum of all numbers is 64.

$$\frac{64}{10} = 6.4$$

Median: Middle values are 4 and 5. Don't round up to 5: the answer is in between 4 and 5.

5. The price value of a basket of goods in 2010, the base year, is £5.30. In 2011 it costs £5.60 and in 2012 it costs £5.85. What is the index for 2012?

$$\left(\frac{5.85}{5.30} \right) \times 100 = 110.38$$

6. When do firms maximise profits?

Firms maximise profits when $MC = MR$. The golden rule.

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7. Incomes in an economy have risen by 5% and annual sales of musical theatre tickets are now 14.7 million. What is the income elasticity of demand for musical tickets (if the income change affected demand)?

$$YED = \frac{\Delta \text{ demand \%}}{\Delta \text{ income \%}}$$

$$\Delta \text{ demand \%} = \left(\frac{(14.7 - 14)}{14} \times 100 \right) = 5$$

$$YED = \frac{5}{5} = 1$$

8. The price of 750g of salt in a supermarket rises from £0.28 to £0.35. The quantity demanded falls by 2%. What is the price elasticity of demand for salt?

$$PED = \frac{\Delta \text{ quantity demanded \%}}{\Delta \text{ price \%}}$$

$$\Delta \text{ price \%} = \left(\frac{(35 - 28)}{28} \times 100 \right) = 25$$

$$PED = \frac{2}{25} = 0.08$$

9. The exchange rate of pounds to dollars is 1.60. How many pounds is \$4,000 worth?

$$\frac{4000}{1.60} = \text{£}2,500$$

10. Annual wages in an economy rose from £20,000 to £25,000 from 2010 to 2011. The price index for wages with respect to 2010 is 105. What is the percentage increase in wages in real terms?

$$\frac{25\,000}{105} \times 100 = 23,809.5$$

$$\frac{(23\,809.5 - 20\,000)}{20\,000} \times 100 = 19.047\%$$

11. A supermarket has to increase the price of its orange juice following a production cost increase of 28p. However, the supermarket sees a 28% fall in the quantity demanded. What is the cross price elasticity of demand?

$$XED = \frac{\Delta \text{ quantity demanded \%}}{\Delta \text{ price \%}} = \frac{-28}{35} = -0.8$$

12. Suppose 80 Polish zloty is equal to £14.29. What is the pound-to-zloty exchange rate?

$$\frac{80}{14.29} = 5.598 = 5.6$$

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13. Stephanie pays 40% of her income in tax. She saves 10%, gives 5% to charity. Supposing she has an annual salary of £60,000, how much does she spend on consumption?

$$100 - (40 + 5 + 10) = 45$$

$$0.45 \times 60\,000 = 27\,000$$

$$\frac{27\,000}{12} = \text{£}2,250$$

14. Look at the following diagrams. Which shows the most elastic demand?

Diagram C is the most elastic – the flatter line means that a small change in price leads to a higher change in quantity demanded.

15. Consider the following table. What is the average cost of producing 3 units?

$$\frac{27}{3} = \text{£}9$$



16. Following an increase in prices across the whole sector, the couple running a burrito stand increase their prices by 5%. They are willing to sell 60 more burritos a day at this price – what is their price elasticity of supply (PES)?

$$\text{PES} = \frac{\Delta \text{ quantity supplied } \%}{\Delta \text{ price } \%}$$

$$= \frac{15.4\%}{5\%} = 3.1$$



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Section B: Longer-answer Questions (28 marks)

1. a) $(16\,000 \times 0.09) = 1440$
 $(19\,000 \times 0.22) = 4180$

$(1440 / 4180) \times 100 = 34.45\%$

Award **2 marks**. **1 mark** for the correct answer, **1 mark** for working and

- b) The median is **£29,000**. $[(25\,000 + 33\,000) / 2]$
 Award **2 marks**. **1 mark** for the correct answer, **1 mark** for good attempt

- c) $35\,500 + [(3 / 100) \times 35\,500] = \mathbf{£36,565}$
 Award **1 mark** for the correct answer.

- d) $35\,500 + [(5 / 100) \times 35\,500] = \mathbf{£37,275}$
 Award **2 marks** for the correct answer and working.

2. a)

Year	Goods			Pr
	Good	Price	Weight	
2010	Good A	£1.00	0.25	
	Good B	£2.00	0.15	
	Good C	£3.00	0.2	
	Good D	£4.00	0.4	
2011	Good A	£1.10	0.25	
	Good B	£2.00	0.15	
	Good C	£3.20	0.2	
	Good D	£4.50	0.4	
2012	Good A	£1.10	0.25	
	Good B	£2.05	0.15	
	Good C	£3.25	0.2	
	Good D	£4.45	0.4	
2013	Good A	£1.10	0.25	
	Good B	£2.00	0.15	
	Good C	£3.40	0.2	
	Good D	£4.40	0.4	

The table should be filled in as above. Award **3 marks**, subtracting **1 mark**

- b) A basket of goods cost the same in 2011 and 2013; 2012 was very similar
 Award **1 mark** for the correct answer.

3. a) $AP^{\text{TR}} = \frac{V_2 - V_1}{P}$

Award **2 marks**. **1 mark** for the correct formula and **1 mark** for cancelling

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b)

Total Output	Total Revenue	MR	Total Cost	
1	8	8	6	
2	16	8	13	
3	24	8	20	
4	32	8	28	
5	40	8	42	

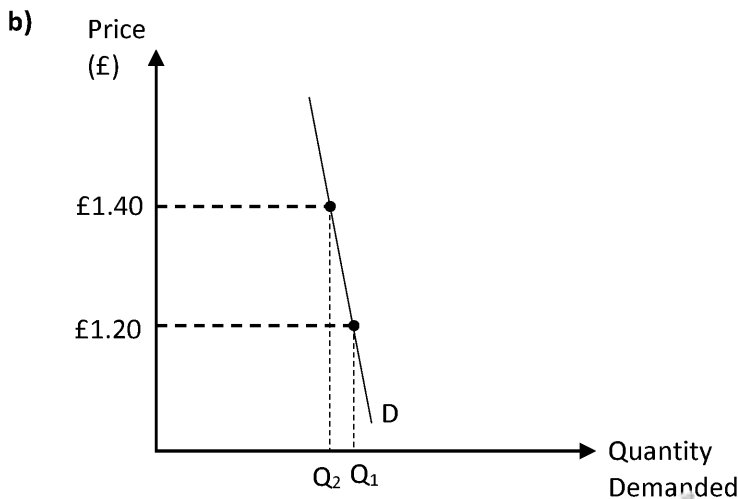
The MC column should be filled in as above. The profit-maximising output is 3.
Award **1 mark** for filling in the MC column and for identifying that profit is maximised at Q = 3.

4. a) $[(385 - 350) / 350] \times 100 = 10\%$
Award **2 marks**. **1 mark** for the correct answer and **1 mark** for working out the percentage.

b) $(385 \times 1000000) - 350000000 = 390,860,000$ yen
Award **2 marks**. **1 mark** for the correct answer and **1 mark** for working out the difference.

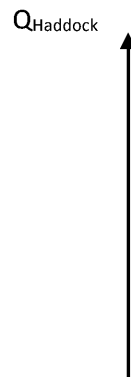
c) $[(390\,860\,000 - 350\,000\,000) / 350\,000\,000] \times 100 = 11.68\%$
Award **2 marks**. **1 mark** for the correct answer and **1 mark** for working out the percentage, including the sign.

5. a) $PED = 12/16.6 = 0.72$
Award **1 mark** for the correct answer.



We are looking for a steep downwards-sloping line.
Award **2 marks**. **1 mark** for the correct line shape and **1 mark** for labelling the axes.

c) $XED = -12/-15 = 0.8$. They are strong substitutes.
Award **3 marks**. **1 mark** for the correct answer, **1 mark** for the word 'substitutes', **1 mark** for a diagram similar to the one on the right with the key factor being an upwards-sloping line.



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Section C: Data Response

1. This is quite a tricky graph to interpret. The key is that when the line is below the previous year, even if the line is moving upwards.
Award up to 3 marks: up to 2 marks for describing the main trend of the line (e.g. following longer-term trend of a rise), 1 mark for linking a trend to economic factors, 1 mark for some values from the line, 1 mark for any other observation (e.g. quite volatile).
2. The main point here is that real earnings have decreased, and so much of the money is spent in real terms. Hence, the discount or budget supermarkets have become more popular.
Award 3 marks for correct interpretation and relevant discussion.
3. Concentration ratio = $(29.4 + 17.1 + 16.4) = 62.9\%$
Award 2 marks. 1 mark for correct answer and 1 mark for working, the decision to round down.



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APPENDIX: KEY UK ECONOMIC INDICATORS

All figures for 2014

Growth	GDP	\$2.5 trillion
	GDP (real growth rate)	3.0%
	GDP per capital	\$50,000
	Gross national saving rate	10.0%
GDP by sector	Agriculture	0.5%
	Industry	20.0%
	Services	78.5%
Labour	Labour force	32.0 million
	Unemployment rate	5.5%
	Population below poverty line	16.0%
Household income by percentage share	Bottom 10%	1.0%
	Top 10%	33.0%
Public debt	86.6% of GDP	
Inflation	Consumer prices	1.0%
Trade	Exports	\$500 billion
	Imports	\$600 billion

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